

Neutrinoless double beta decay

Schule für Astroteilchenphysik

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ERLANGEN CENTRE
FOR ASTROPARTICLE
PHYSICS

Thilo Michel

Friedrich-Alexander-Universität
Erlangen-Nürnberg



Agenda

- What is (neutrinoless) double beta decay ?
- What can a measurement of the $0\nu\beta\beta$ half-life tell us ?
- What are the basic requirements for an experiment ?
- How do some experiments measure ?

The problem with the beta decay in 1930

Thinking in 1930:

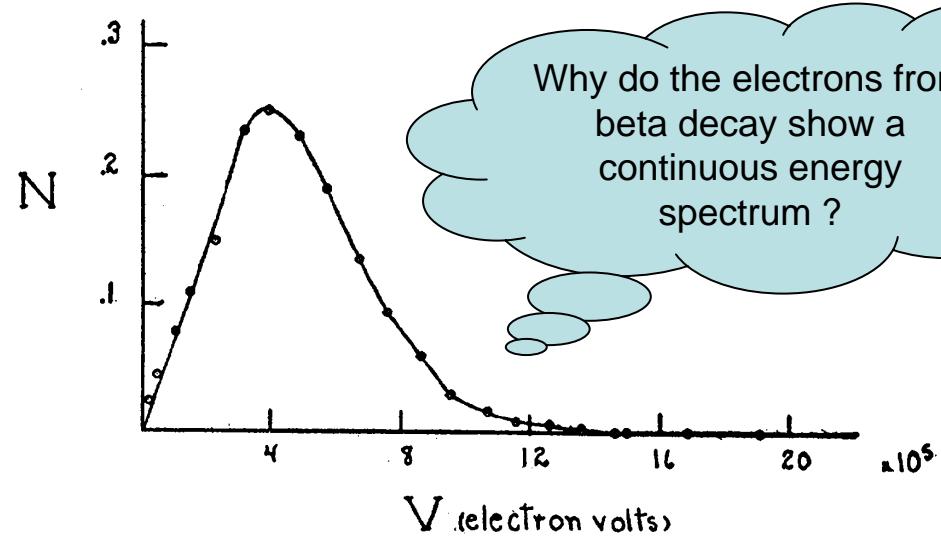
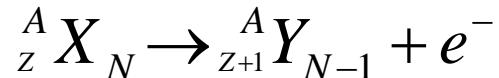
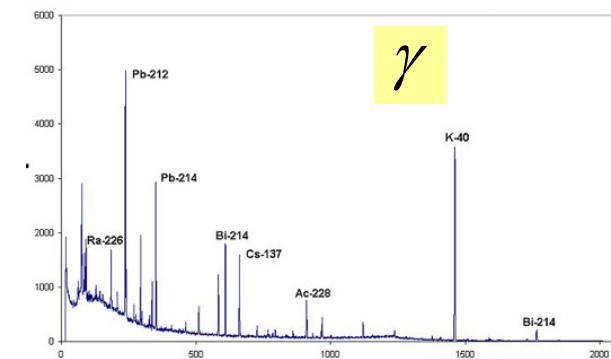
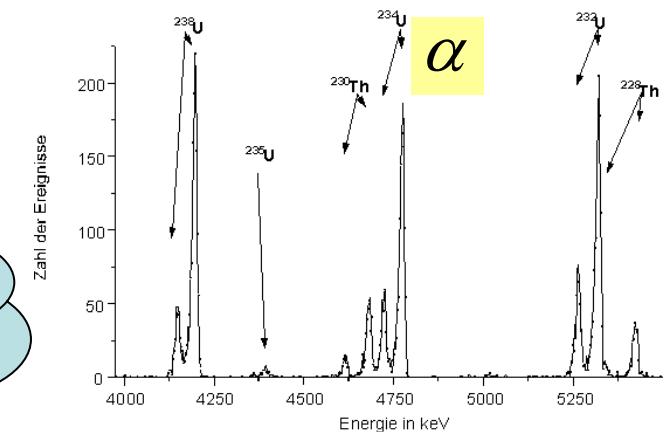
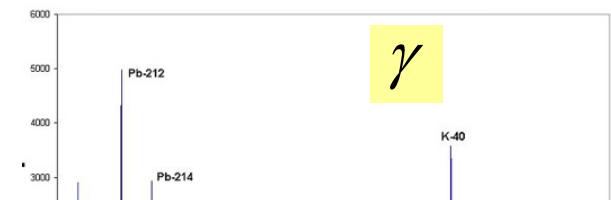
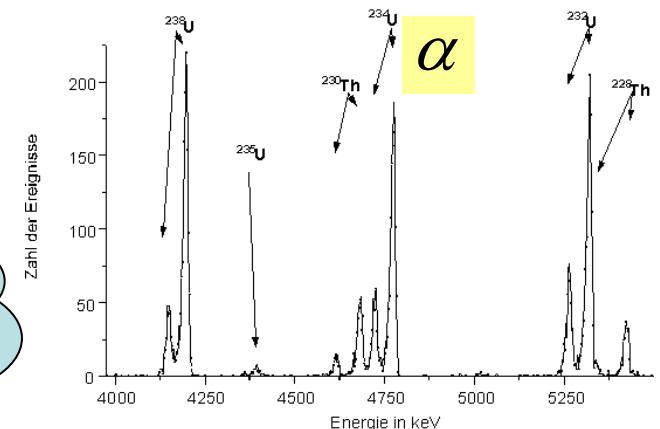
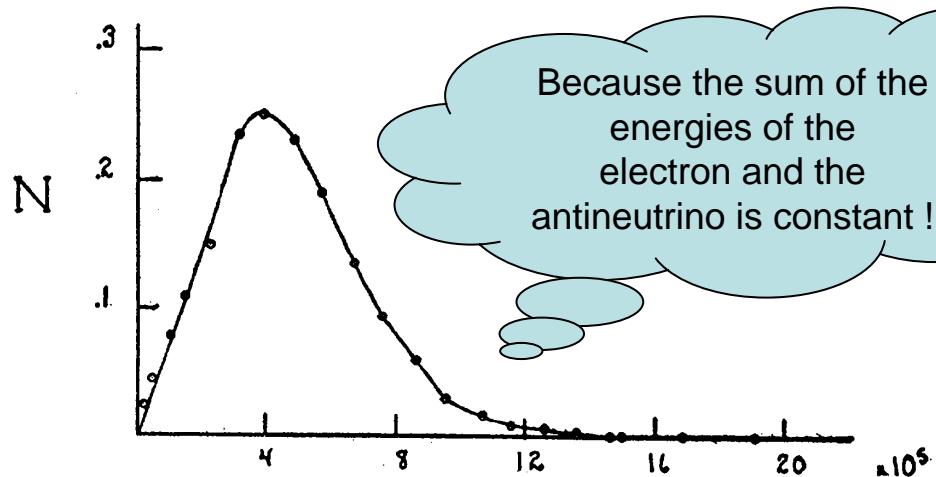
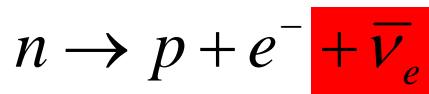


FIG. 5. Energy distribution curve of the beta-rays.



The solution

Today:



Wolfgang Pauli in his famous letter to the „group of the radioactives“ (1930)

Liebe radioaktive Damen und Herren,

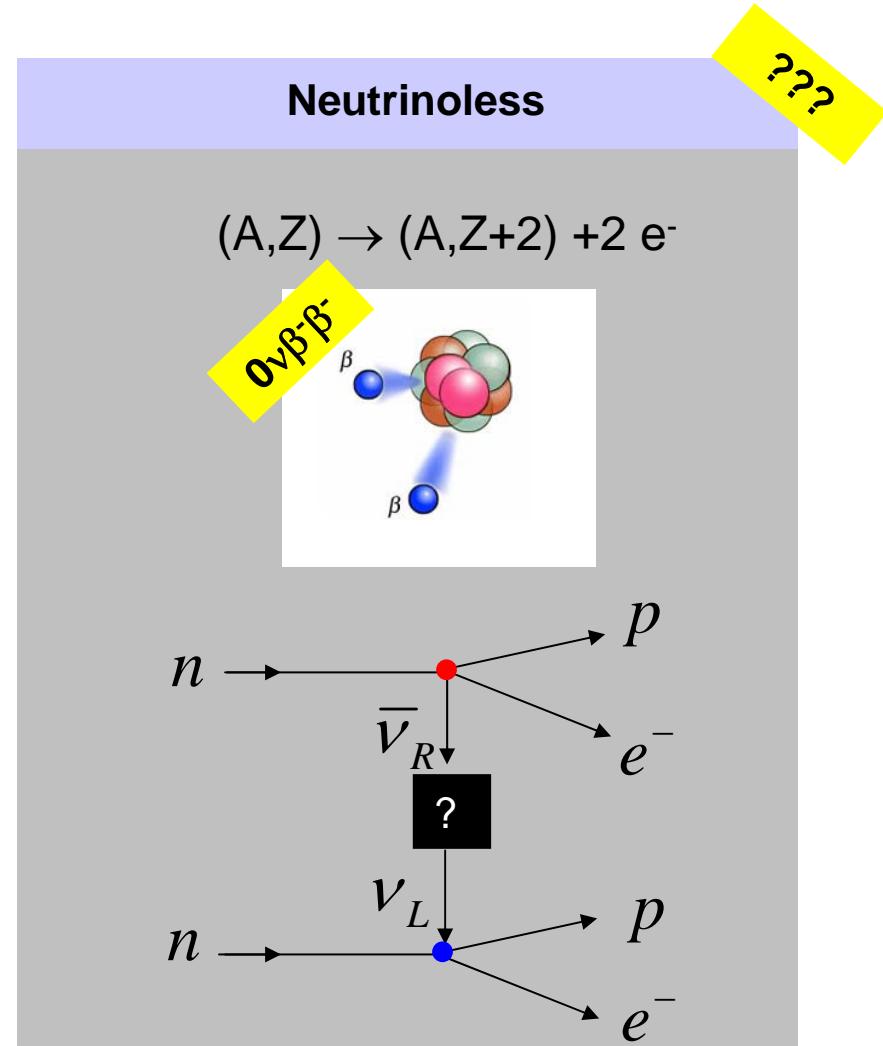
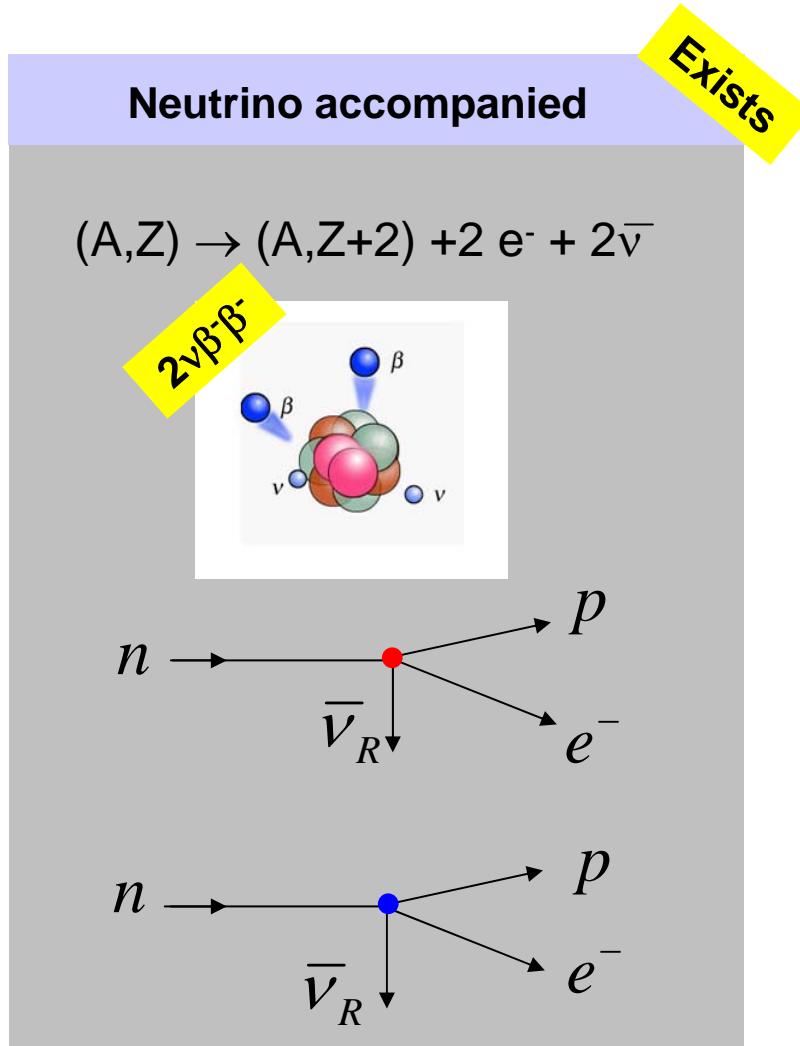
[...] Das kontinuierliche Betaspektrum wäre dann verständlich unter der Annahme, dass beim Betazerfall mit dem Elektron jeweils noch ein Neutron emittiert wird, derart, dass die Summe der Energien von Neutron und Elektron konstant ist. [...]

Ich gebe zu, dass mein Ausweg vielleicht von vornherein wenig wahrscheinlich erscheinen mag

[...] Aber nur wer wagt, gewinnt [...] Also, liebe Radioaktive, prüfen und richtet.

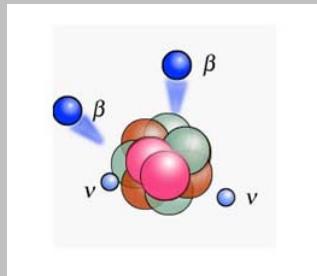
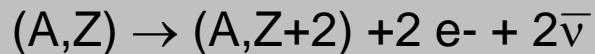


$2\nu\beta^-\beta^-$ and $0\nu\beta^-\beta^-$: two forms of double beta decays



Double beta decays ($2\nu\beta^-\beta^-$ and $0\nu\beta^-\beta^-$)

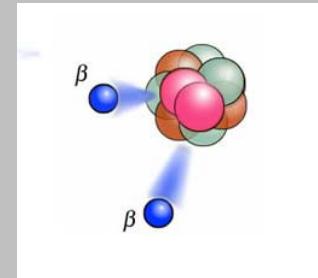
$2\nu\beta\beta$: Neutrino accompanied



- Does NOT violate Lepton-number-conservation
- Is an allowed second order process in the SM
- Is possible with massless or massive Dirac or Majorana neutrinos
- Has been observed in a number of experiments/nuclei

Exists

$0\nu\beta\beta$: Neutrinoless

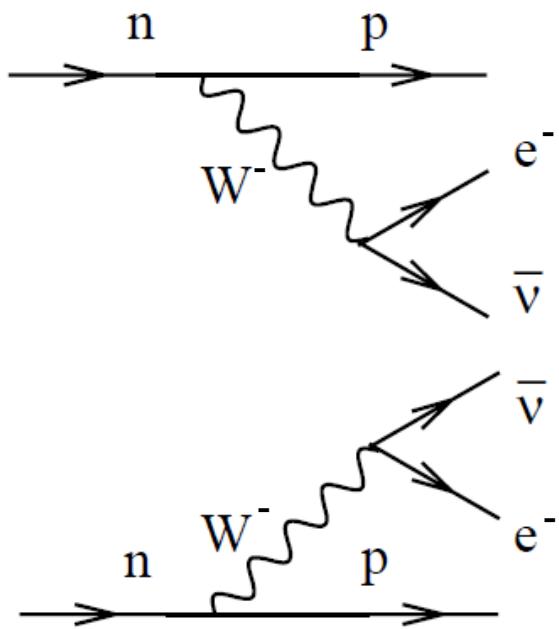


- Violates Lepton-number-conservation by $\Delta L=2$
- Is NOT allowed in the SM
- Requires non-zero rest mass (already proved)
- Only possible if neutrino is its own antiparticle (**Majorana-particle**)

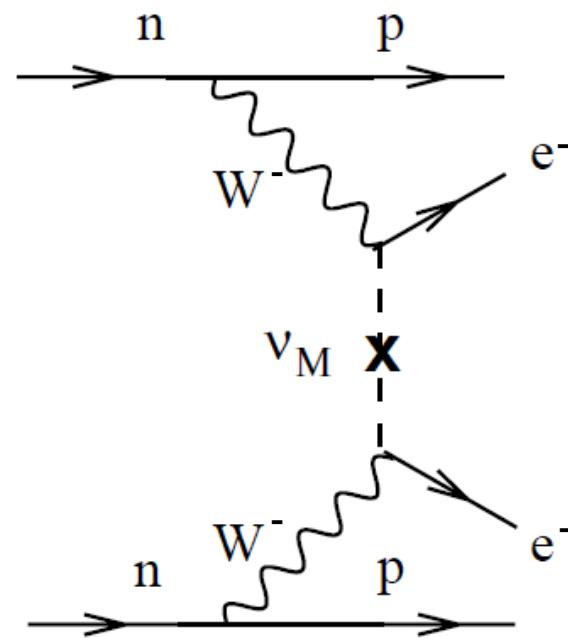
???

Generic diagrams

$2\nu\beta\beta$



$0\nu\beta\beta$



Schechter-Valle theorem (1982)

- Independent of the exact processes in the „BLACK BOX“, the appearance of the $0\nu\beta\beta$ decay implies the existence of an effective Majorana mass term
- This means: if $0\nu\beta\beta$ exists, neutrinos are Majorana particles

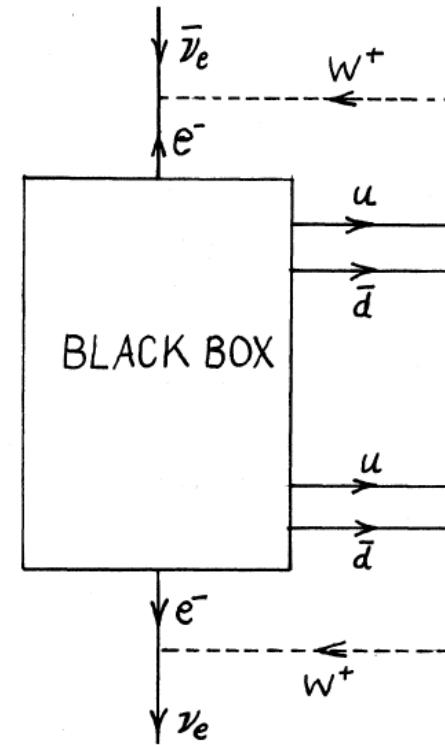


FIG. 2. Diagram showing how any neutrinoless double- β decay process induces a $\bar{\nu}_e$ -to- ν_e transition, that is, an effective Majorana mass term.

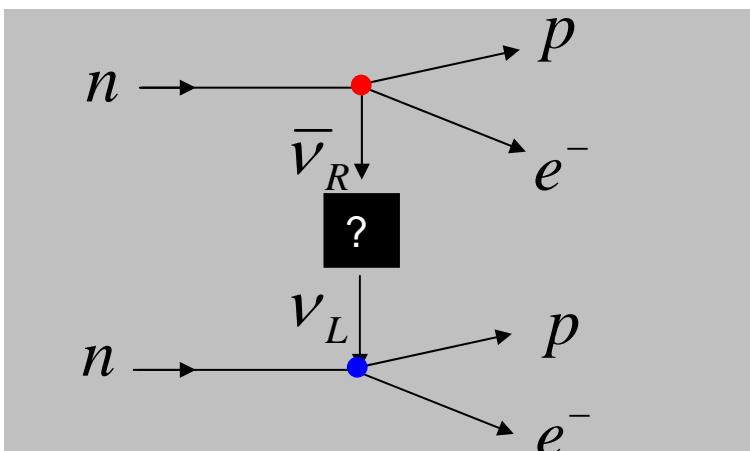
Motivation of the non-zero rest mass needed for $0\nu\beta\beta$

Spin Momentum

$$H = \frac{\vec{\sigma} \bullet \vec{p}}{|\vec{\sigma}| |\vec{p}|}$$

Right-handed: *Left-handed:*

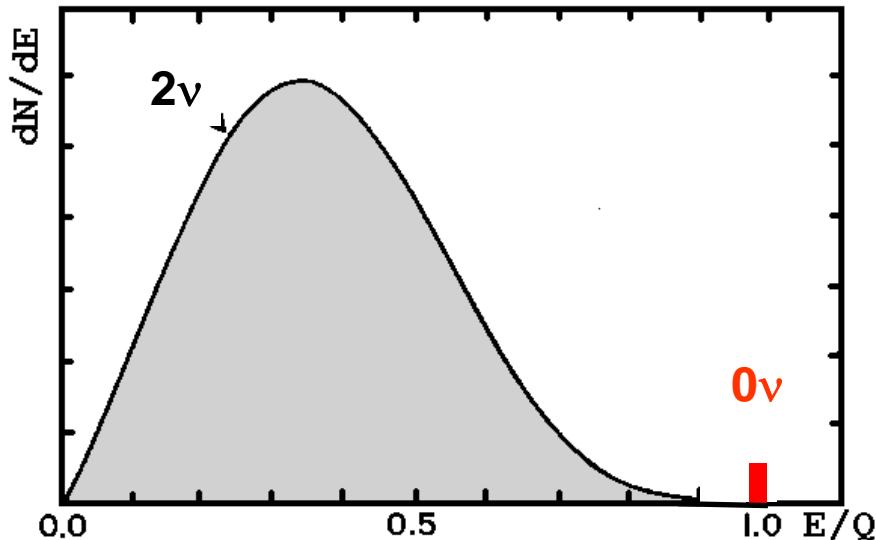
$H > 0$ $H < 0$



- Weak interaction couples only to (left/right)-handed (particles/anti-particles)
- Helicity not well defined for a massive particle
- Nevertheless the following arguments are suggestive:
 - Emitted anti-neutrino \bullet has mass
 - A „virtual“ Lorentz transformation into a „faster“ system can be performed
 - Orientation of momentum is reversed in this system
 - Helicity changes sign
 - „Conversion“ from right-handed \bullet to left-handed particle \bullet (here I mix helicity with chirality, which is in principle not correct)

How can we see $0\nu\beta\beta$?

Schematic sum energy spectrum of the 2 electrons in $2\nu\beta\beta$ and $0\nu\beta\beta$



- Rate of $2\nu\beta\beta$ is several orders of magnitude higher than the rate of $0\nu\beta\beta$
- The relation depends for example on the effective neutrino mass, the NME and phase space volume
- For sensitivity to $\langle m_{\beta\beta} \rangle = 100$ meV:
 $T_{1/2}$ between $10^{26} - 10^{27}$ a
(age of the universe (WMAP): $1,37 * 10^{10}$ a)

Half life/ Rate and effective Majorana mass

Half life:

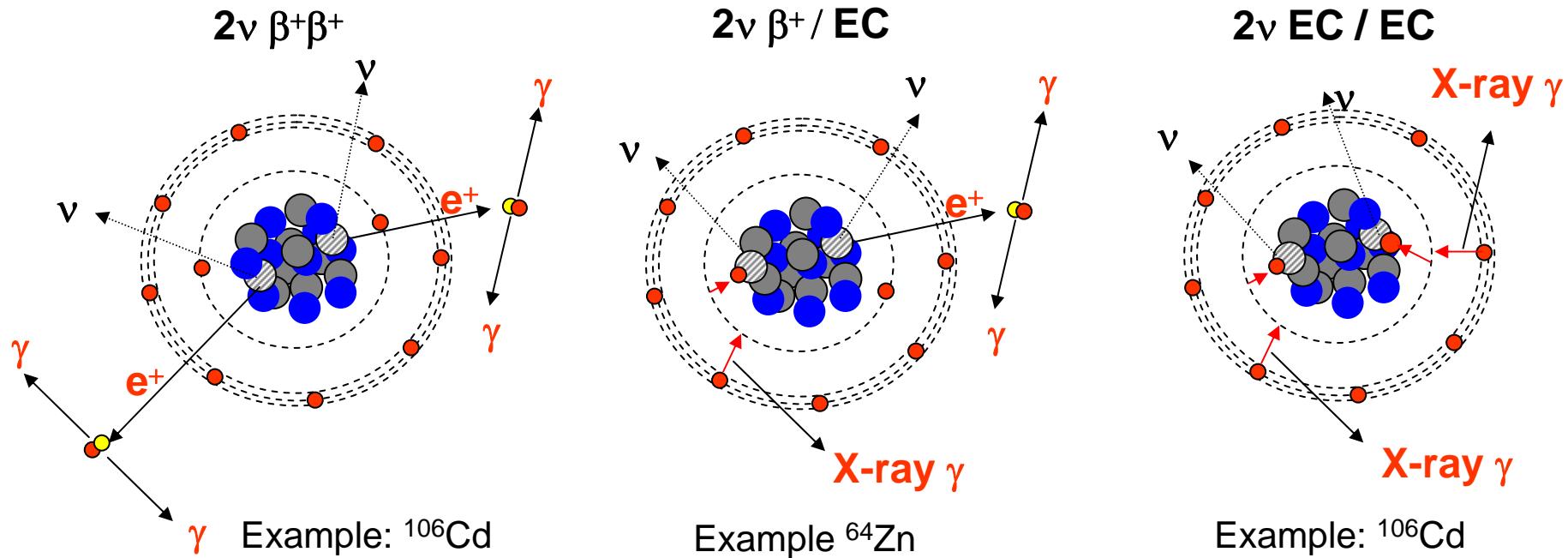
$$T_{1/2}^{0\nu\beta\beta} \propto \frac{1}{\langle m_{\beta\beta} \rangle^2}$$

$$\text{Decay rate: } \Gamma_{1/2}^{0\nu\beta\beta} = [T_{1/2}^{0\nu\beta\beta}]^{-1} \propto \langle m_{\beta\beta} \rangle^2$$

Signature

- A peak in the sum energy spectrum at the full Q-value (for decays into ground state)
- Energy resolution should be as good as possible to keep contribution of **unavoidable** $2\nu\beta\beta$ decay in „peak region“ as low as possible

Other possible neutrino accompanied channels of second order



In principle these decays could occur without neutrino emission,
provided that neutrinos are of Majorana-type

History of double beta decay (1/2)

- 1935
 - Double beta decay considered in 1935 by Maria Goeppert-Mayer (suggestion of Eugene Wigner): estimated half-life of 10^{17} years with 2 electrons and 2 antineutrinos carrying 10 MeV
- 1937
 - Ettore Majorana developed theory in which neutrinos were their own antiparticles
 - Giulio Racah suggested test of Majorana theory with neutrinoless double beta decay
- 1939
 - Furry calculated approximate rates for $0\nu\beta\beta$
- 1950
 - First geochemical observation of $2\nu\beta\beta$ on ^{130}Te lead to half-life of



Ettore Majorana

$$T_{1/2}^{\beta\beta}(^{130}\text{Te}) = 1.4 \times 10^{21} \text{ a}$$

History of double beta decay (2/2)

- 1952
 - Primakoff calculated electron-electron angular correlations and electron energy spectra for $2\nu\beta\beta$ and $0\nu\beta\beta$
- 1955
 - Reaction (suggested by Majorana in 1937) was NOT found by Raymond Davis' chemical experiment $\bar{\nu}_e + {}^{37}Cl \rightarrow {}^{37}Ar + e^-$
- 1987
 - First laboratory observation of $2\nu\beta\beta$ by Elliot
- 2001
 - A subgroup of the Heidelberg-Moscow collaboration (Klapdor-Kleingrothaus et al.) reported observation of $0\nu\beta\beta$ in ${}^{76}Ge$.
- Today:
 - Experiments like GERDA or MAJORANA are already on the way to test the claim.

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Neutrinos and their mixing

- Neutrino flavors $|\nu_\alpha\rangle$ ($\alpha=e,\mu,\tau$) are mixtures of mass eigenstates $|\nu_i\rangle$ ($i=1,2,3$)

$$|\nu_\alpha\rangle = \sum_i U_{\alpha i} |\nu_i\rangle$$

- Matrix U (Pontecorvo-Maki-Nakagawa-Sakata-Matrix, PMNS) can be parametrised as

$$U = \begin{pmatrix} c_{13}c_{12} & c_{13}s_{12} & s_{13} \\ -c_{23}s_{12} - s_{23}s_{13}c_{12}e^{i\delta} & c_{23}c_{12} - s_{23}s_{13}s_{12}e^{i\delta} & s_{23}c_{13}e^{i\delta} \\ s_{23}s_{12} - c_{23}s_{13}c_{12}e^{i\delta} & -s_{23}c_{12} - c_{23}s_{13}s_{12}e^{i\delta} & c_{23}c_{13}e^{i\delta} \end{pmatrix} \times \begin{pmatrix} 1 & 0 & 0 \\ 0 & e^{i\alpha_{21}/2} & 0 \\ 0 & 0 & e^{i\alpha_{31}/2} \end{pmatrix}$$

where $s_{ij} = \sin(\theta_{ij})$ and $c_{ij} = \cos(\theta_{ij})$, θ_{ij} are the mixing angles, δ is the Dirac-phase and α_{21} , α_{31} are the Majorana phases that are only relevant if neutrinos are of Majorana type

Some properties of neutrinos

Neutrino Properties

See the note on "Neutrino properties listings" in the Particle Listings.

Mass $m < 2$ eV (tritium decay)

Mean life/mass, $\tau/m > 300$ s/eV, CL = 90% (reactor)

Mean life/mass, $\tau/m > 7 \times 10^9$ s/eV (solar)

Mean life/mass, $\tau/m > 15.4$ s/eV, CL = 90% (accelerator)

Magnetic moment $\mu < 0.54 \times 10^{-10} \mu_B$, CL = 90% (solar)

Number of Neutrino Types

Number $N = 2.984 \pm 0.008$ (Standard Model fits to LEP data)

Number $N = 2.92 \pm 0.05$ ($S = 1.2$) (Direct measurement of invisible Z width)

Neutrino Mixing

The following values are obtained through data analyses based on the 3-neutrino mixing scheme described in the review "Neutrino Mass, Mixing, and Oscillations" by K. Nakamura and S.T. Petcov in this *Review*.

$$\sin^2(2\theta_{12}) = 0.87 \pm 0.03$$

$$\Delta m_{21}^2 = (7.59 \pm 0.20) \times 10^{-5} \text{ eV}^2$$

$$\sin^2(2\theta_{23}) > 0.92$$
 [i]

$$\Delta m_{32}^2 = (2.43 \pm 0.13) \times 10^{-3} \text{ eV}^2$$
 [j]

$$\sin^2(2\theta_{13}) < 0.15, \text{ CL} = 90\%$$

What can measured half-lifes of $0\nu\beta\beta$ tell us ?

$2\nu\beta\beta$

$$T_{1/2}^{2\nu} = \frac{1}{G_{2\nu}(Q_{\beta\beta}, Z) |M_{2\nu}|^2}$$

Phase space factor

Nuclear matrix element NME
(can be calculated with
good precision for $2\nu\beta\beta$)

$0\nu\beta\beta$

$$T_{1/2}^{0\nu} = \frac{1}{G_{0\nu}(Q_{\beta\beta}, Z) |M_{0\nu}|^2 \langle m_{\beta\beta} \rangle^2}$$



NME introduces
uncertainties for $0\nu\beta\beta$



Effective Majorana
mass shall be
determined

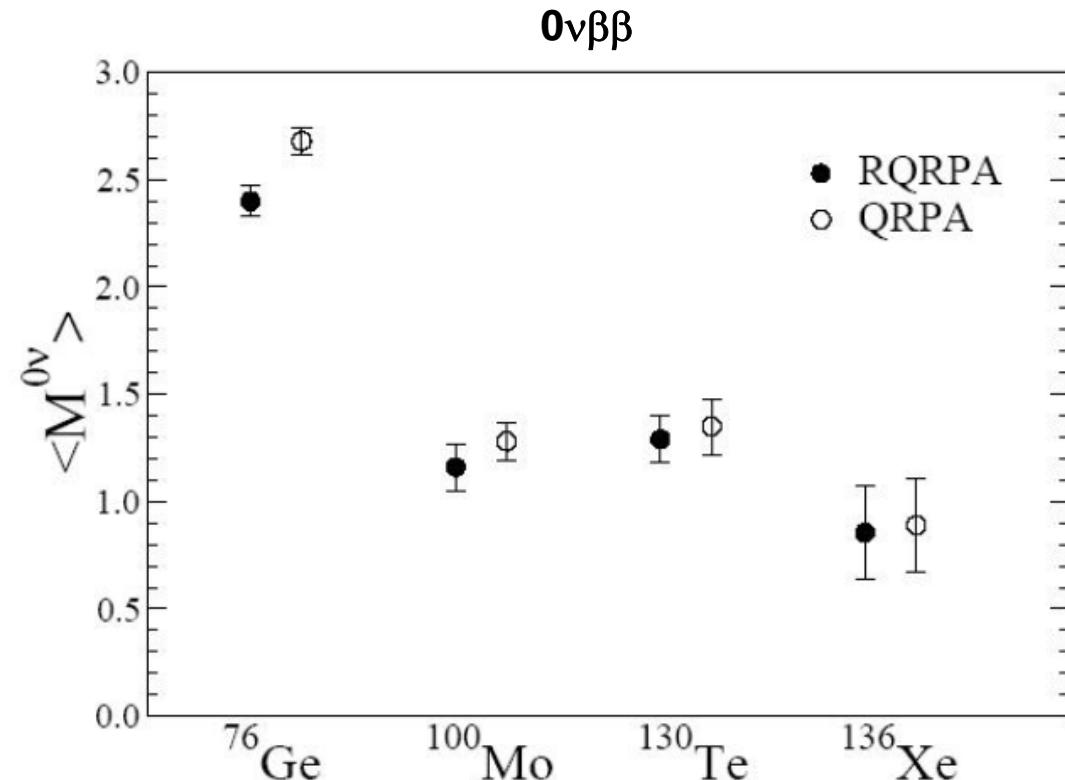
$$\left| \langle m_{\beta\beta} \rangle \right| \equiv \left| m_1 |U_{e1}|^2 + m_2 |U_{e2}|^2 e^{i\alpha_{21}} + m_3 |U_{e3}|^2 e^{i\alpha_{31}} \right|$$

- Sensitive to Majorana phases
- Different from neutrino mass determined with beta decay experiments:

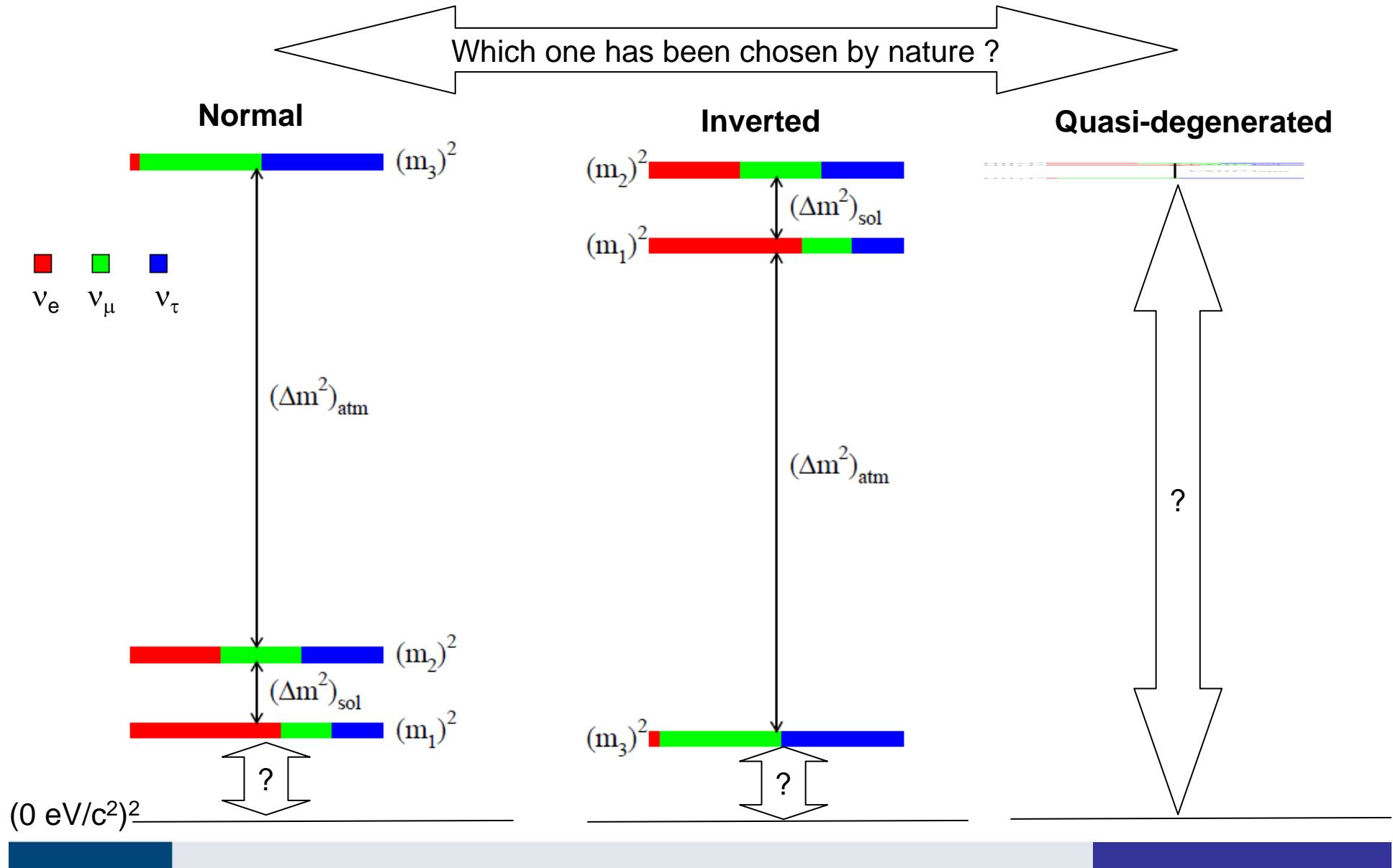
$$\langle m_\beta \rangle = \sqrt{\sum_{i=1}^3 |U_{ei}|^2 m_i^2}$$

Nuclear matrix elements: sources of errors for calculations of the effective Majorana mass

- Use $2\nu\beta\beta$ data as a check for the calculation methods of NMEs
- Calculation methods:
 - Quasiparticle Random Phase Approximation (QRPA)
 - Renormalized QRPA
 - Shell Model
- Uncertainties in the NME of $0\nu\beta\beta$ at least 30 % (depending on isotope), but progress is being made
- Uncertainties depend on nucleus



Neutrino mass hierarchies



Effective Majorana mass for the hierarchies

The effective Majorana mass is defined as $\left| \langle m_{\beta\beta} \rangle \right| \equiv \left| m_1 |U_{e1}|^2 + m_2 |U_{e2}|^2 e^{i\alpha_{21}} + m_3 |U_{e3}|^2 e^{i\alpha_{31}} \right|$

Quasi-degenerate hierarchy $m_1 \approx m_2 \approx m_3 \equiv m_{\bar{\nu}_e}$

$$\left| \langle m_{\beta\beta} \rangle \right| \approx m_{\bar{\nu}_e} \left| \left(\cos^2 \theta_{sol} + \sin^2 \theta_{sol} \cdot e^{i\alpha_{21}} \right) \cos^2 \theta_{13} + \sin^2 \theta_{13} e^{i\alpha_{31}} \right|$$

$\left| \langle m_{\beta\beta} \rangle \right|$ is sensitive to $m_{\bar{\nu}_e}$, α_{21} and α_{31}

Estimated ranges

$$\left| \langle m_{\beta\beta} \rangle \right| \geq 50 \text{ meV}$$

Inverted hierarchy

$$\sqrt{\Delta m_{atm}^2} \cos 2\theta_{sol} \leq \left| \langle m_{\beta\beta} \rangle \right| \approx \sqrt{\left(1 - \sin^2(2\theta_{sol}) \sin^2 \frac{\alpha_{21}}{2} \right) \Delta m_{atm}^2} \leq \sqrt{\Delta m_{atm}^2}$$

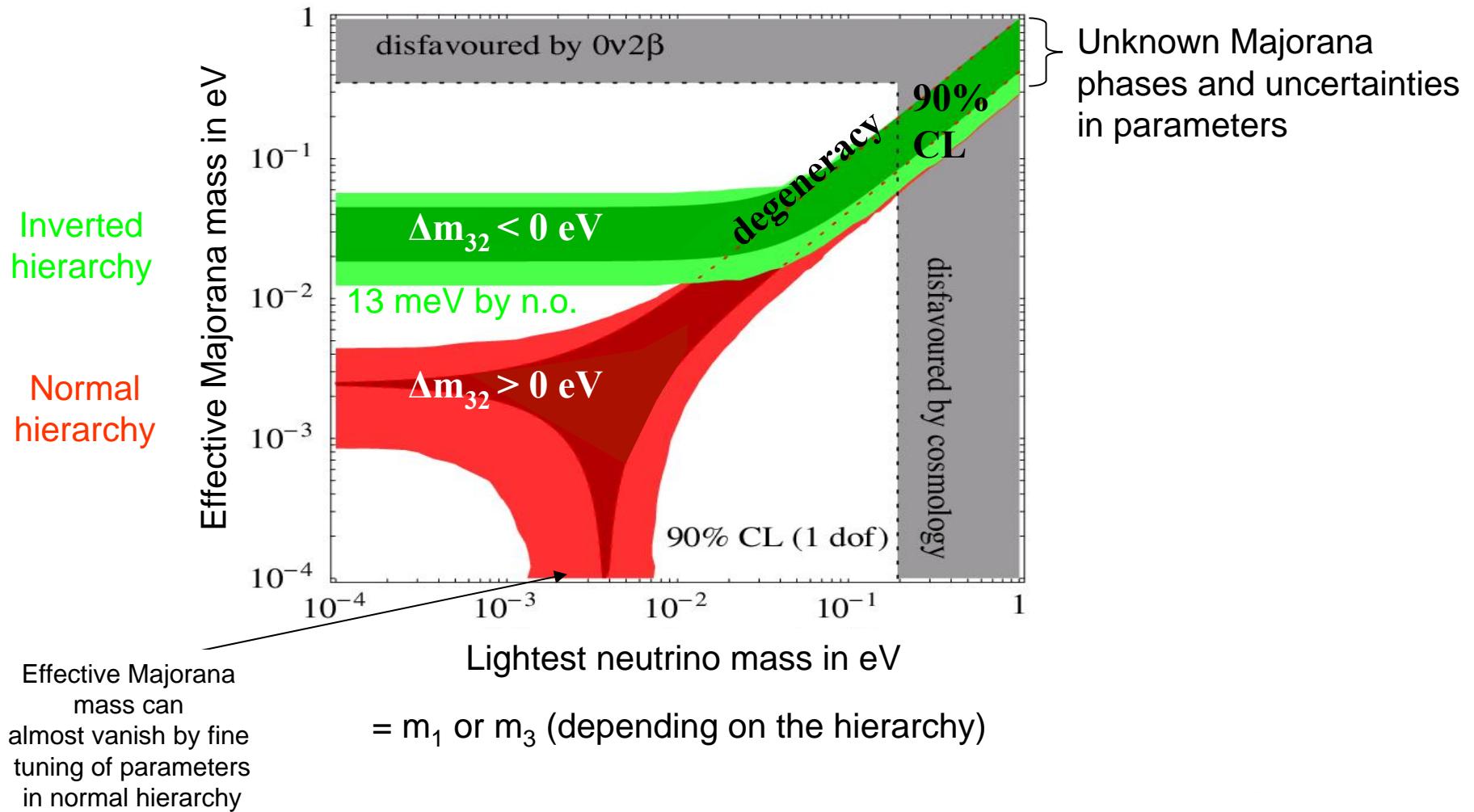
$$10 \text{ meV} \leq \left| \langle m_{\beta\beta} \rangle \right| \leq 80 \text{ meV}$$

Normal hierarchy

$$\left| \langle m_{\beta\beta} \rangle \right| \approx \left| \sqrt{\Delta m_{sol}^2} \cos^2 \theta_{13} \sin^2 \theta_{sol} + \sqrt{\Delta m_{atm}^2} \sin^2 \theta_{13} e^{i\alpha_{31}} \right|$$

$$few \cdot 10^{-4} \text{ eV} \leq \left| \langle m_{\beta\beta} \rangle \right| \leq 8.5 \text{ meV}$$

The link between $0\nu\beta\beta$ and the neutrino mass hierarchy



Dirac- and Majorana phases

$$U = \begin{pmatrix} c_{13}c_{12} & c_{13}s_{12} & s_{13} \\ -c_{23}s_{12} - s_{23}s_{13}c_{12}e^{i\delta} & c_{23}c_{12} - s_{23}s_{13}s_{12}e^{i\delta} & s_{23}c_{13}e^{i\delta} \\ s_{23}s_{12} - c_{23}s_{13}c_{12}e^{i\delta} & -s_{23}c_{12} - c_{23}s_{13}s_{12}e^{i\delta} & c_{23}c_{13}e^{i\delta} \end{pmatrix} \times \begin{pmatrix} 1 & 0 & 0 \\ 0 & e^{i\alpha_{21}/2} & 0 \\ 0 & 0 & e^{i\alpha_{31}/2} \end{pmatrix}$$

Dirac-phase

- does affect neutrino oscillations
- can violate CP-invariance
- difficult to measure, but in principle possible with long baseline experiments

Majorana-phases

- do NOT affect neutrino oscillations
- can violate CP-invariance
- CP is NOT violated if $\alpha_{21}, \alpha_{31} \in \{0, \pm\pi\}$



Combination of

$\langle m_{\beta\beta} \rangle$ and $\langle m_\beta \rangle$

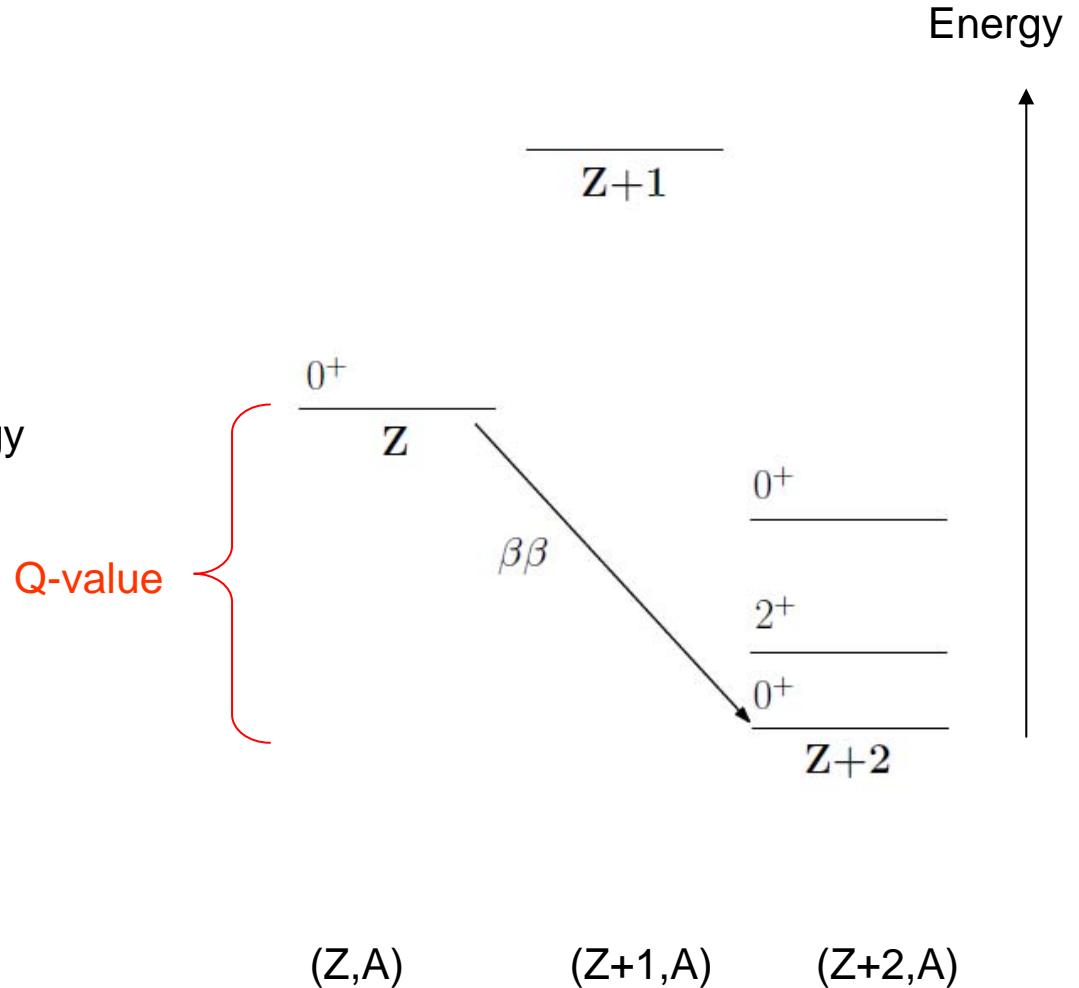
from $0\nu\beta\beta$ and beta decay experiments (like KATRIN) plus knowledge of mixing angles allow check of CP violation for neutrinos

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The „source“ nucleus selection

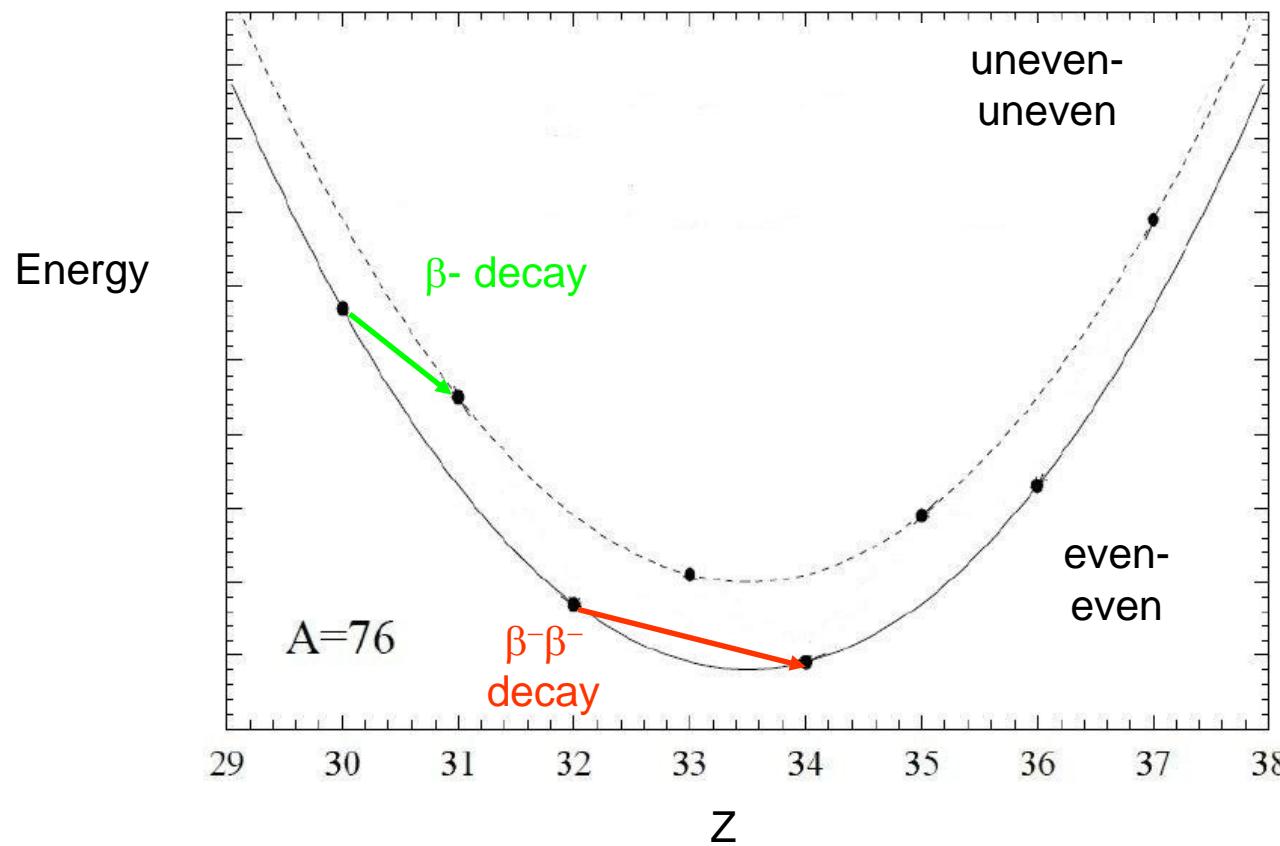
- Typical $0\nu\beta^-\beta^-$ or $2\nu\beta^-\beta^-$ nucleus is an even-even nucleus
- Pairing forces stronger than in $(Z+1, A)$ neighbour, but weaker than in $(Z+2, A)$ nucleus
- „Single beta decay“ is blocked by energy conservation
- There are only 35 candidates in the table of isotopes



The „source“ nucleus selection

$$E_{\text{Bindung}} = a_V \cdot A - a_O \cdot A^{\frac{2}{3}} - a_C \cdot Z^2 A^{-\frac{1}{3}} - a_S \cdot \frac{(N - Z)^2}{A} + \left\{ \begin{array}{ll} +a_P \cdot A^{-\frac{1}{2}} & \text{für gg - Kerne} \\ 0 & \text{für ug und gu - Kerne} \\ -a_P \cdot A^{-\frac{1}{2}} & \text{für uu - Kerne} \end{array} \right.$$

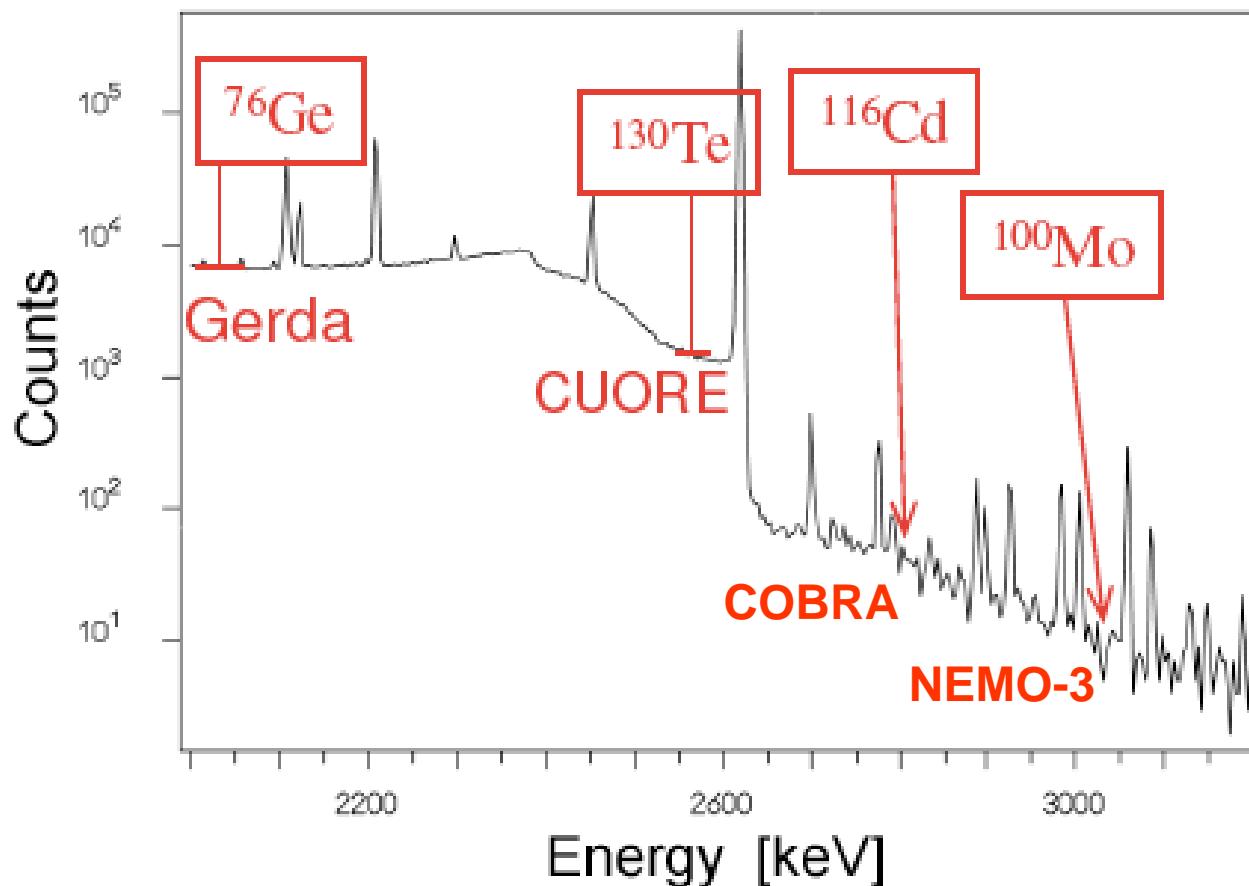
Volume Surface Coulomb Symmetry Pairing (Spin)



The „source“ nucleus - practical requirements

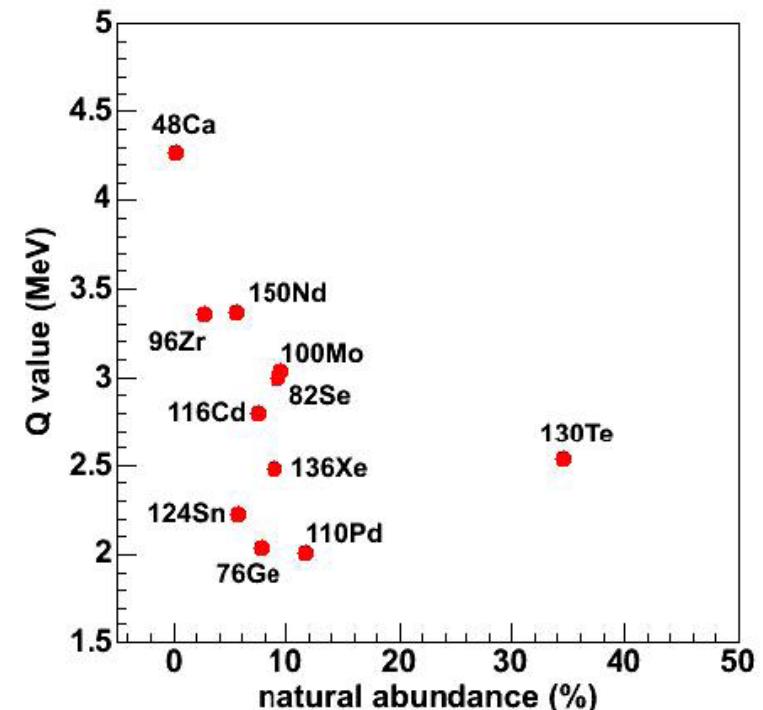
Wish	Good example
<ul style="list-style-type: none">• Large natural abundance: enrichment requires less process steps or no enrichment at all needed• Easy enrichment process• Large Q-value: Phase space volume is proportional to Q^5 for $0\nu\beta\beta$ and so is the rate (statistics!)• Low background in „source volume“: chemically clean and no long-lived radioactive isotopes• If source = detector: the material must give a detector with good energy resolution• Q-value > 2.615 MeV: No background from γ-lines of nuclides in natural $^{235}/^{238}\text{U}$- and ^{232}Th-decay chains	<ul style="list-style-type: none">• ^{130}Te (34.5%)• ^{136}Xe• ^{48}Ca ($Q=4.27$ MeV), ^{150}Nd ($Q=3.37$ MeV)• ^{136}Xe• ^{76}Ge• ^{116}Cd ($Q=2.81$ MeV)

Background reduction if Q-value is larger than the highest γ energy in natural decay chains (^{208}TI)

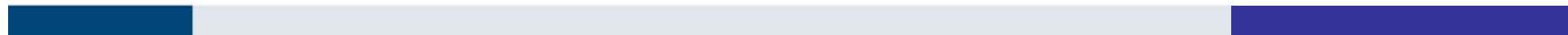


Some candidates for the source nucleus

Isotope	Q-value [keV]	Natural abundance [%]
Ca 48	4271	0.187
Ge 76	2039	7.8
Se 82	2295	9.2
Zr 96	3350	2.8
Mo 100	3034	9.6
Pd 110	2013	11.8
Cd 116	2809	7.5
Sn 124	2288	5.64
Te 130	2529	34.5
Xe 136	2479	8.9
Nd 150	3367	5.6



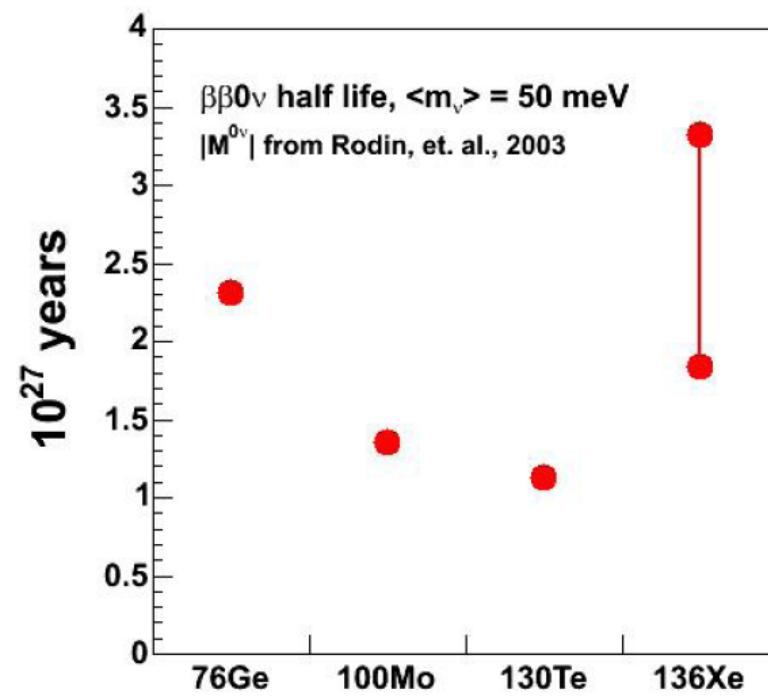
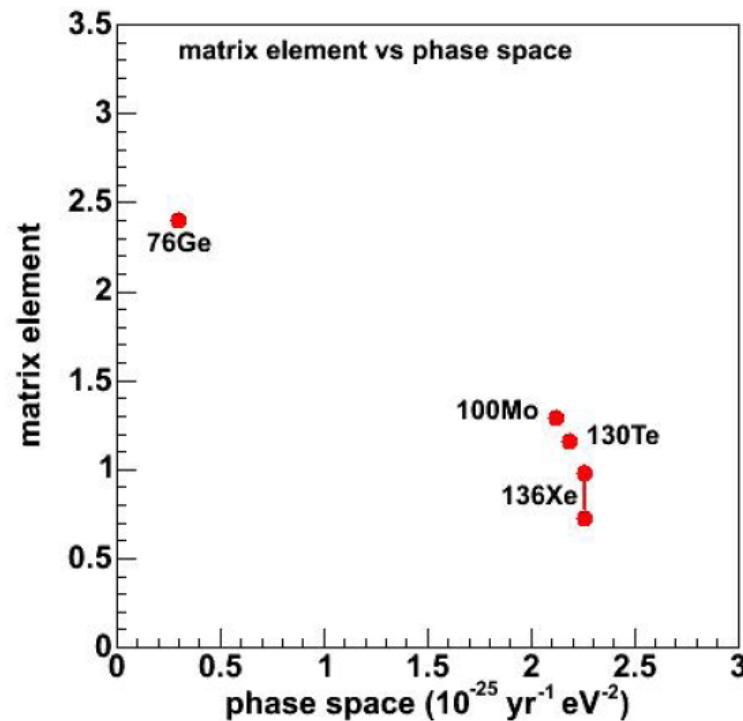
Material for semiconductor detectors



Importance of the NME and the phase space

$$\Gamma_{1/2}^{0\nu} = G_{0\nu}(Q_{\beta\beta}, Z) |M_{0\nu}|^2 \left| \langle m_{\beta\beta} \rangle \right|^2$$

Decay rate = Phase space volume X squared matrix element X squared effective Majorana mass



Current (2007) knowledge on $2\nu\beta\beta$ / $0\nu\beta\beta$

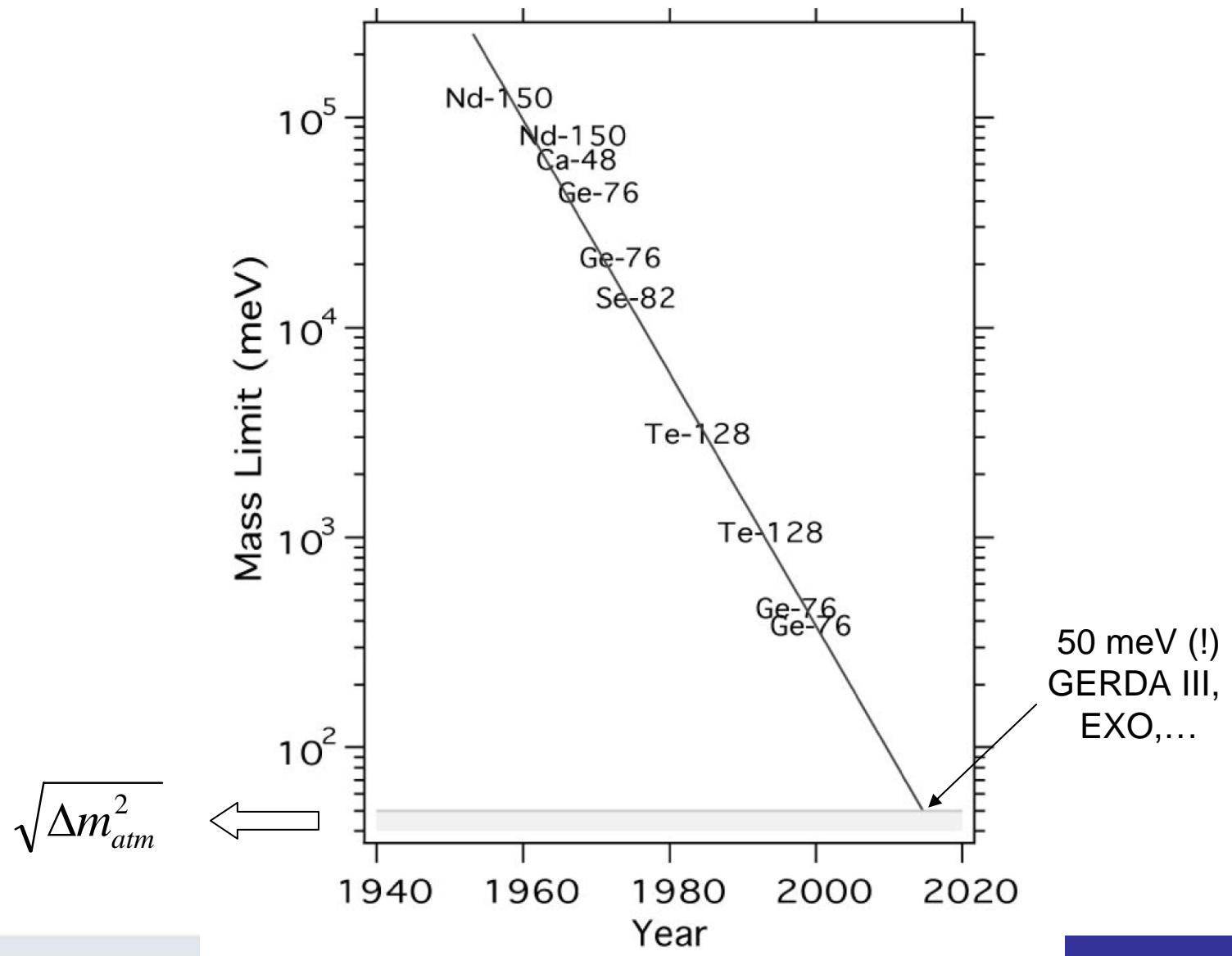
$2\nu\beta\beta$

Isotope	$T_{1/2}^{2\nu}$ (years)
^{48}Ca	$(4.2^{+2.1}_{-1.0}) \times 10^{19}$
^{76}Ge	$(1.5 \pm 0.1) \times 10^{21}$
^{82}Se	$(0.92 \pm 0.07) \times 10^{20}$
^{96}Zr	$(2.0 \pm 0.3) \times 10^{19}$
^{100}Mo	$(7.1 \pm 0.4) \times 10^{18}$
^{116}Cd	$(3.0 \pm 0.2) \times 10^{19}$
^{128}Te	$(2.5 \pm 0.3) \times 10^{24}$
^{130}Ba	EC-EC(2ν) $(2.2 \pm 0.5) \times 10^{21}$
^{130}Te	$(0.9 \pm 0.1) \times 10^{21}$
^{150}Nd	$(7.8 \pm 0.7) \times 10^{18}$
^{238}U	$(2.0 \pm 0.6) \times 10^{21}$

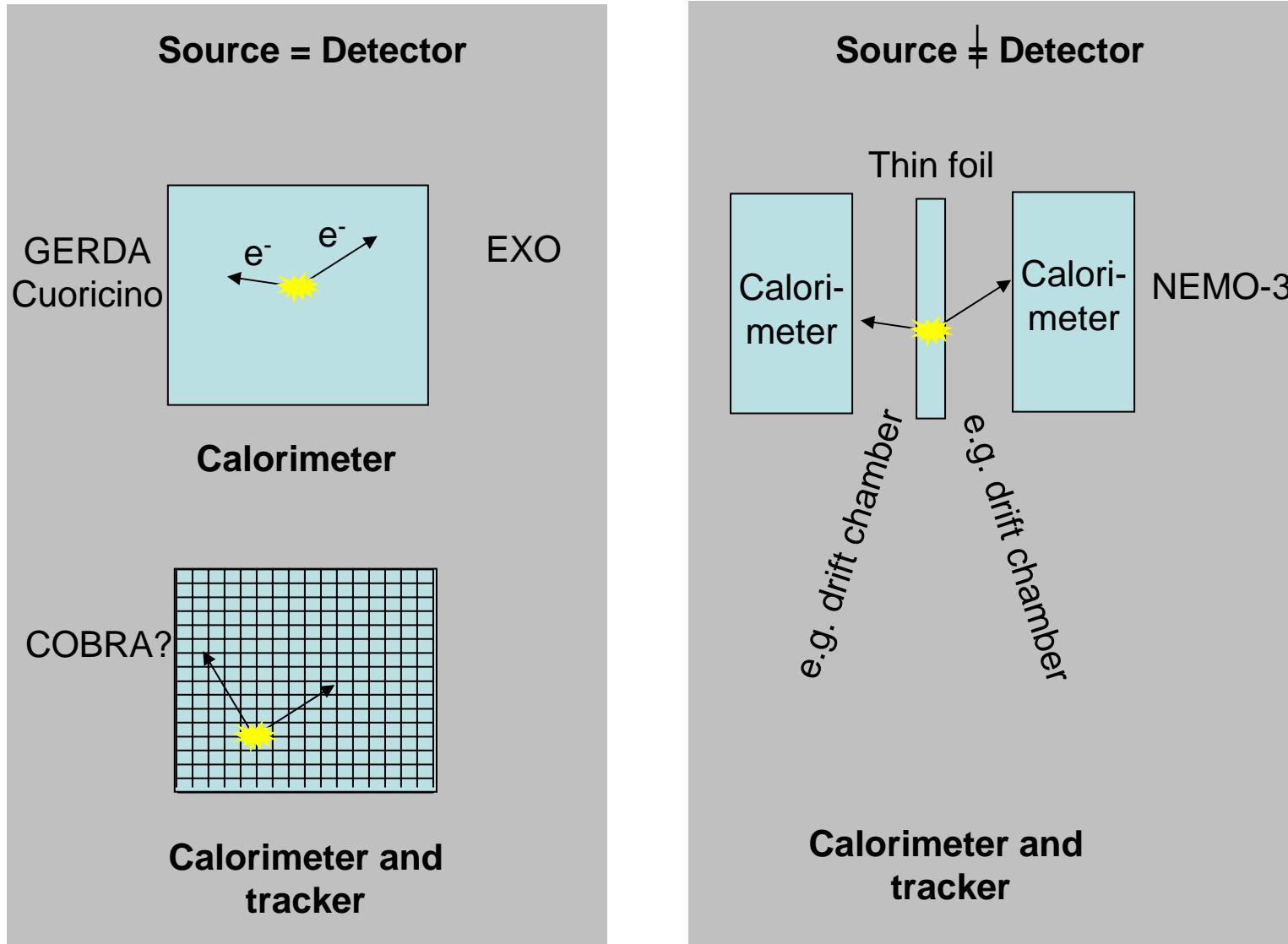
$0\nu\beta\beta$

Isotope	Technique	$T_{1/2}^{0\nu}$
^{48}Ca	CaF_2 scint. crystals	$> 1.4 \times 10^{22}$ y
^{76}Ge	^{enr}Ge det.	$> 1.9 \times 10^{25}$ y
^{76}Ge	^{enr}Ge det.	$(2.23^{+0.44}_{-0.31}) \times 10^{25}$ y (1σ)
^{76}Ge	^{enr}Ge det.	$> 1.57 \times 10^{25}$ y
^{82}Se	Thin metal foils and tracking	$> 2.1 \times 10^{23}$ y
^{100}Mo	Thin metal foils and tracking	$> 5.8 \times 10^{23}$ y
^{116}Cd	$^{116}\text{CdWO}_4$ scint. crystals	$> 1.7 \times 10^{23}$ y
^{128}Te	geochemical	$> 7.7 \times 10^{24}$ y
^{130}Te	TeO_2 bolometers	$> 3.0 \times 10^{24}$ y
^{136}Xe	Liq. Xe scint.	$> 4.5 \times 10^{23}$ y ^a
^{150}Ne	Thin metal foils and tracking	$> 3.6 \times 10^{21}$ y

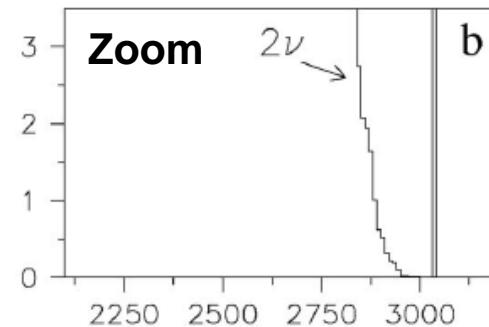
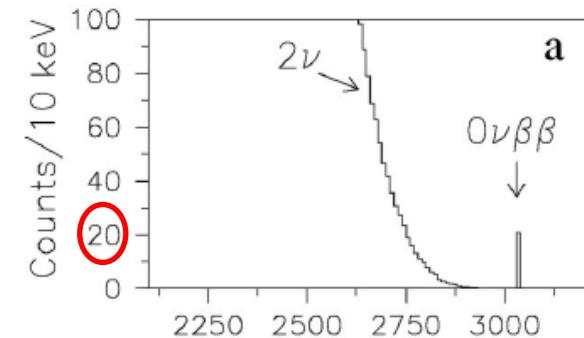
Moore's law of $0\nu\beta\beta$ searches



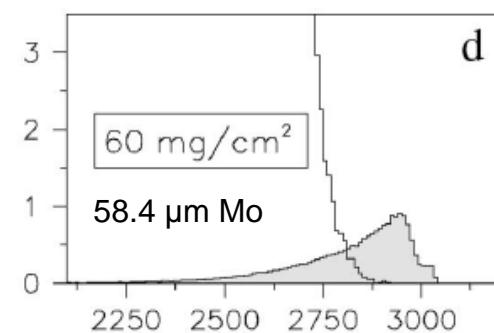
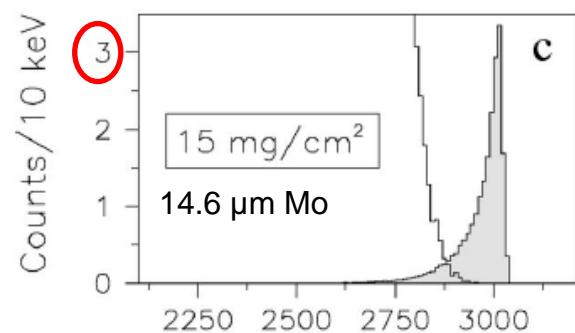
Three experimental approaches



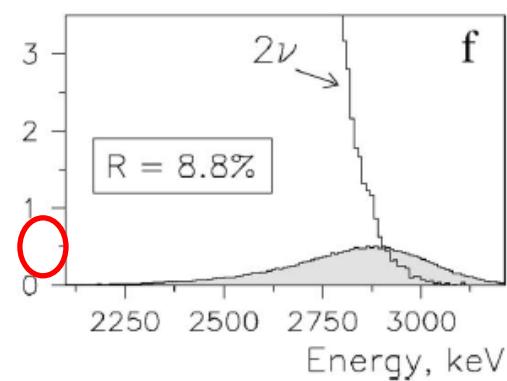
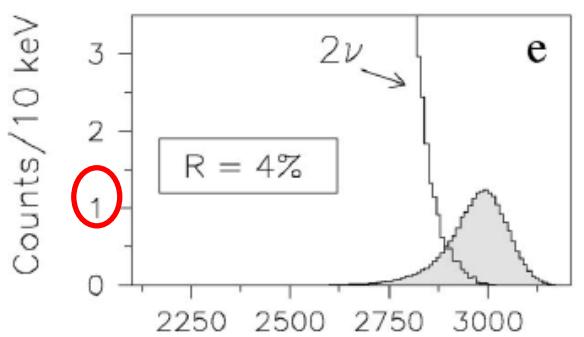
The impact of energy resolution: simulations for ^{100}Mo



„Active source“-detector
10 keV (=0.33 %)
energy resolution



Passive source + calorimeter
10 keV energy resolution
(=0.33 %)



15 mg/cm² foil and
4 % (e) / 8.8 % (f)
energy resolution

Agenda

- What is (neutrinoless) double beta decay ?
- What will a measurement of the $0\nu\beta\beta$ half-life tell us ?
- What are the basic requirements for an experiment ?
- **How do some experiments measure ?**

Future experiments (some already started)

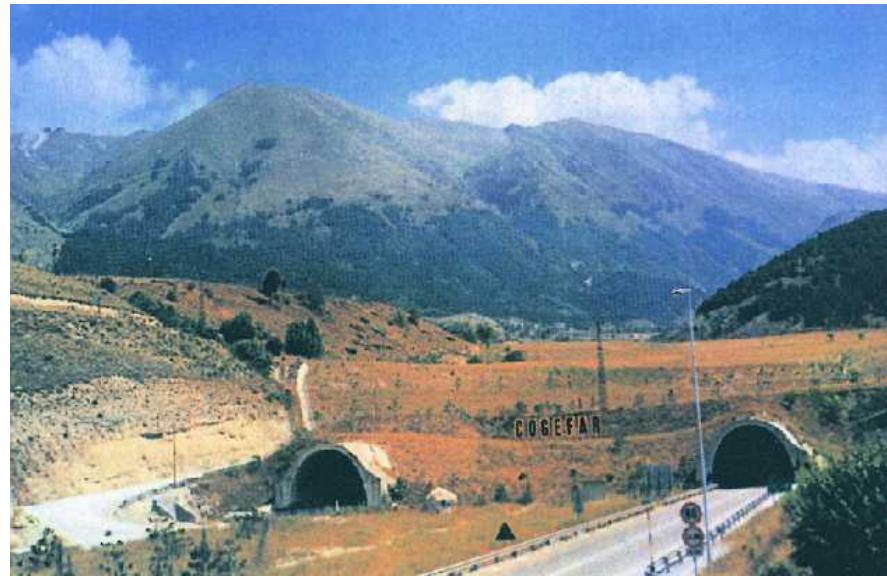
Experiment	Isotope	Experimental approach
CANDLES	^{48}Ca	Several tons of CaF_2 crystals in Liquid scintillator
COBRA	^{116}Cd , ^{130}Te	420 kg CdZnTe semiconductors
CUORE	^{130}Te	750 kg TeO_2 cryogenic bolometers
DCBA	^{150}Nd	20 kg Nd layers between tracking chambers
EXO	^{136}Xe	1 ton Xe TPC (gas or liquid)
GERDA	^{76}Ge	~ 40 kg Ge diodes in LN_2 , phase 3 with MAJORANA
MAJORANA	^{76}Ge	~ 180 kg Ge diodes, expand to larger masses
MOON	^{100}Mo	several tons of Mo sheets between scintillator
SNO+	^{150}Nd	1000 t of Nd-loaded liquid scintillator
'LNGS'	^{150}Nd	10 ton Nd-loaded liquid scintillator
SuperNEMO	$^{82}\text{Se}(?)$, $^{150}\text{Nd} (?)$	100-200 kg of Se or Nd foils between TPCs
KamLAND	^{136}Xe	300 kg (2013) , 1 ton (2015?) of Xe in liquid scintillator
XMASS	^{136}Xe	10 t of liquid Xe
NEXT	^{136}Xe	High Pressure Xe TPC

small scale experiments will expand, this is not a complete list !

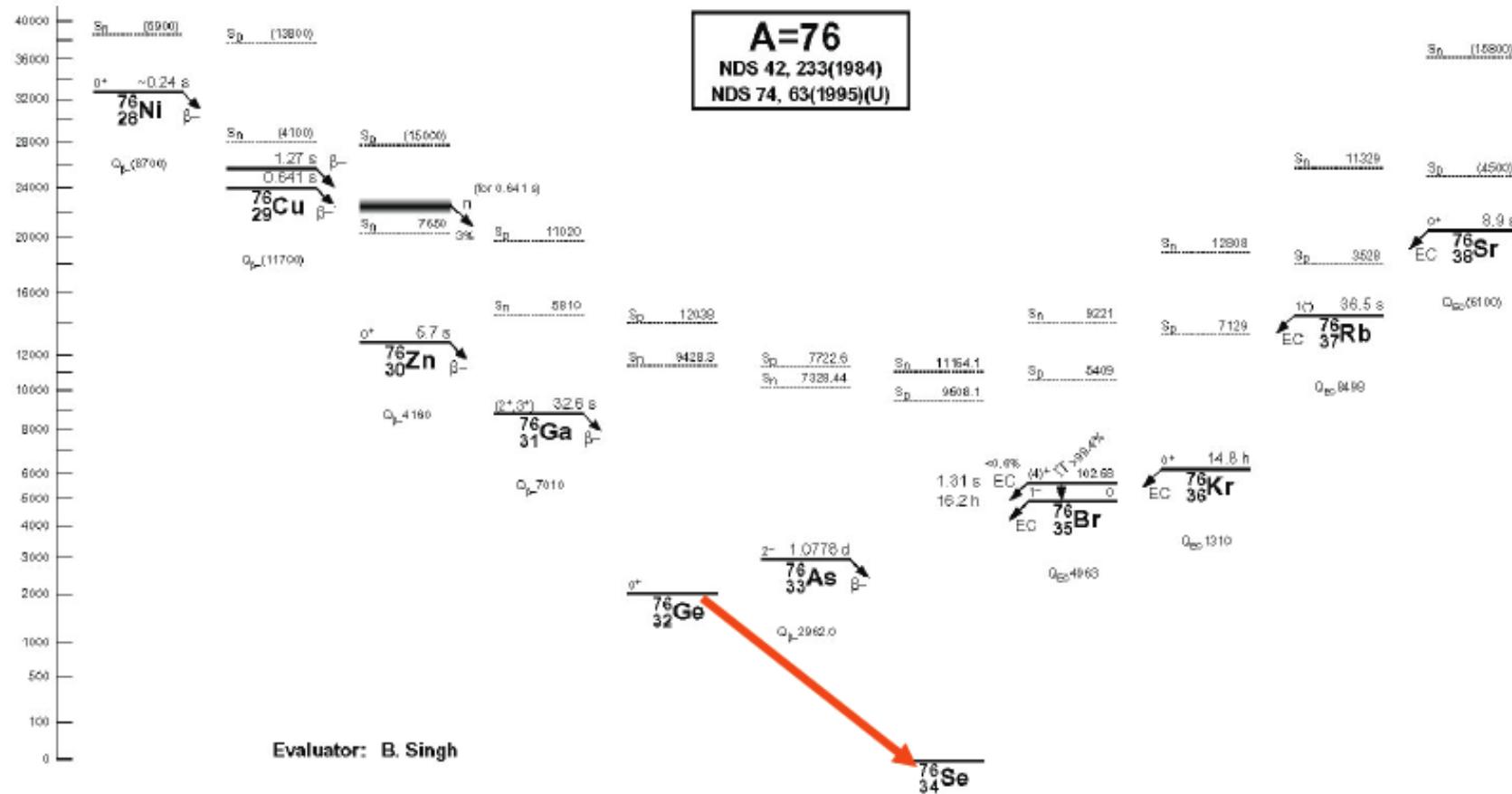
Some more details on experiment or predecessor experiment in this talk

Heidelberg-Moscow

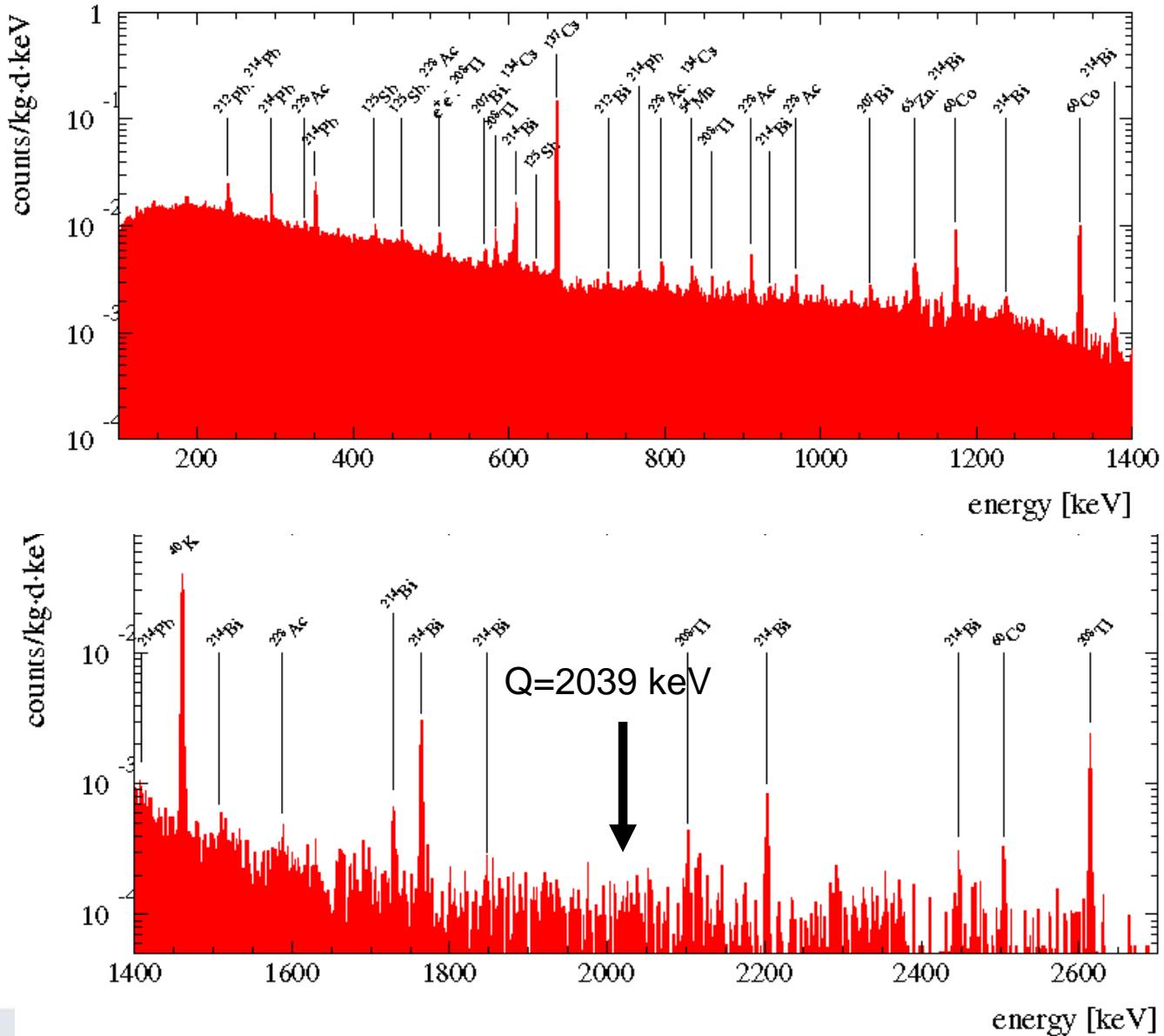
5 HPGe detectors in LNGS
(Gran Sasso underground
laboratory in Italy, 3400 m w.e.)



The ^{76}Ge candidate



Typical background spectrum



The sensitivity of a $0\nu\beta\beta$ experiment

The half life to which an experiment is sensitive with a certain confidence level can be expressed as:
(provided that the fluctuation of the background follows Gaussian distribution)

$$T_{1/2}^{0\nu\beta\beta}(n_\sigma) = \frac{4.14 \times 10^{26}}{n_\sigma} a \left(\frac{\varepsilon \cdot \eta}{W} \right) \sqrt{\frac{M \cdot T}{b \cdot \Delta E}}$$

with:

n_σ Number of standard deviations characterizing C.L.
(e.g. C.L. of 99.73 % corresponds to $n_\sigma=3$)

ε Detection efficiency

η Isotopic abundance

W Atomic weight

M Total mass of source material

T Total measuring time

b Specific background rate in peak region (cut) given in counts/(keV kg a)

ΔE Spectral width of experiment (cut width) in keV

Example: Estimation of potential half life sensitivity (4 σ) of Heidelberg-Moscow (HM) experiment (^{76}Ge)

$$n_\sigma = 4$$

$$\varepsilon = 0.95$$

$$\eta = 0.86$$

$$W = 76$$

$$M \cdot T = 71.7 \text{ kg} \cdot a \quad \text{11 kg of enriched } ^{76}\text{Ge}$$

$$b = 0.11 \frac{\text{counts}}{\text{keV} \cdot \text{kg} \cdot a} @ 2039 \text{ keV}$$

$$\Delta E = 3.27 \text{ keV}$$

If all numbers are correct, HM was able (4 σ) to measure half-life for $0\nu\beta\beta$ (^{76}Ge) up to

$$T_{1/2}^{0\nu\beta\beta}(4\sigma, {}^{76}\text{Ge}, \text{HM}) = 1.9 \cdot 10^{25} \text{ a}$$

The claim of a part of the HM-collaboration

- A sub-group of the HM-collaboration (Klapdor-Kleingrothaus et al.) claimed to have observed $0\nu\beta\beta$
- Claimed values (99.97 % C.L.)

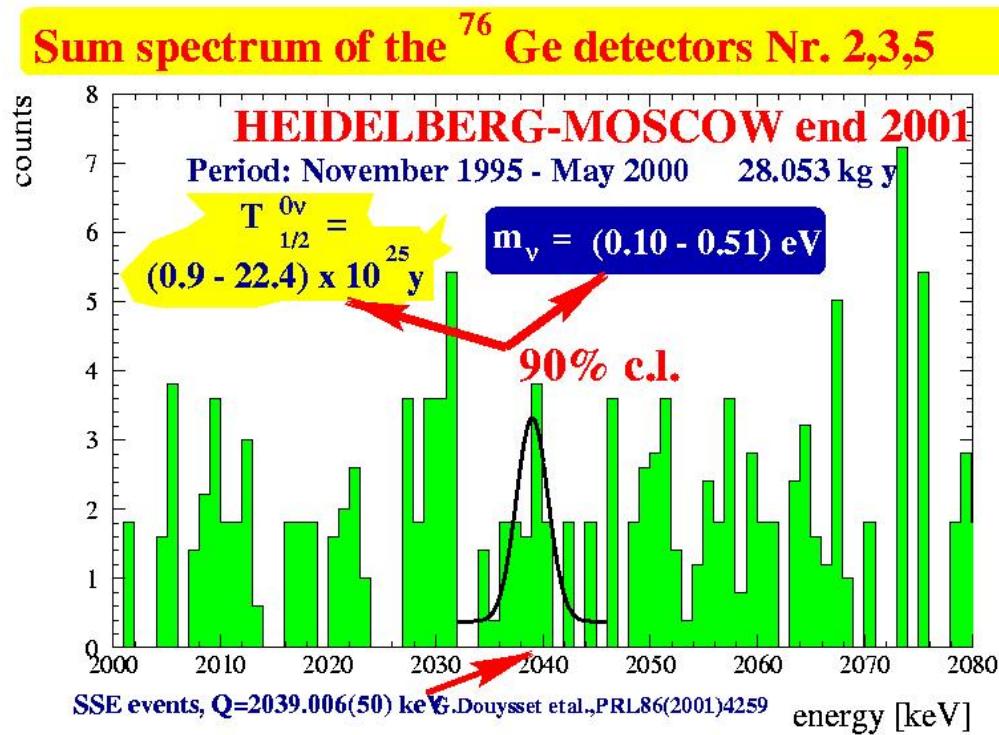
$$T_{1/2}^{0\nu} = (2.23 \pm 0.4) \cdot 10^{25} \text{ a}$$

$$\langle m_{\beta\beta} \rangle = 0.32^{+0.03}_{-0.03} \text{ eV}$$

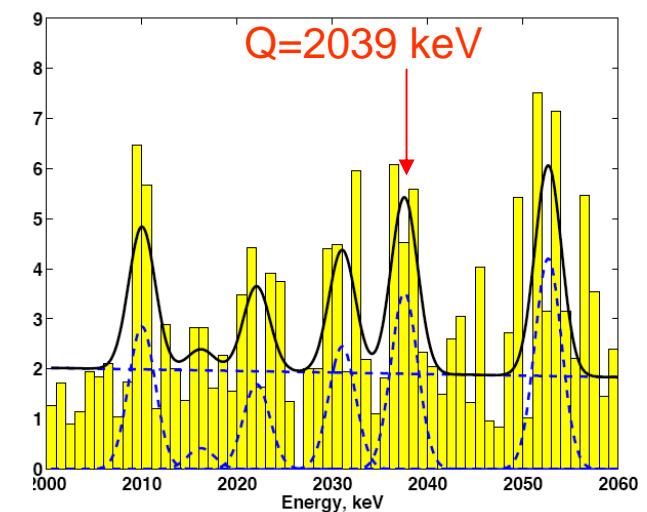
<http://www.klapdor-k.de>

The observation

A subgroup of the Heidelberg-Moscow collaboration claimed to have seen
 (28.75 ± 6.86) $0\nu\beta\beta$ -events in ^{76}Ge

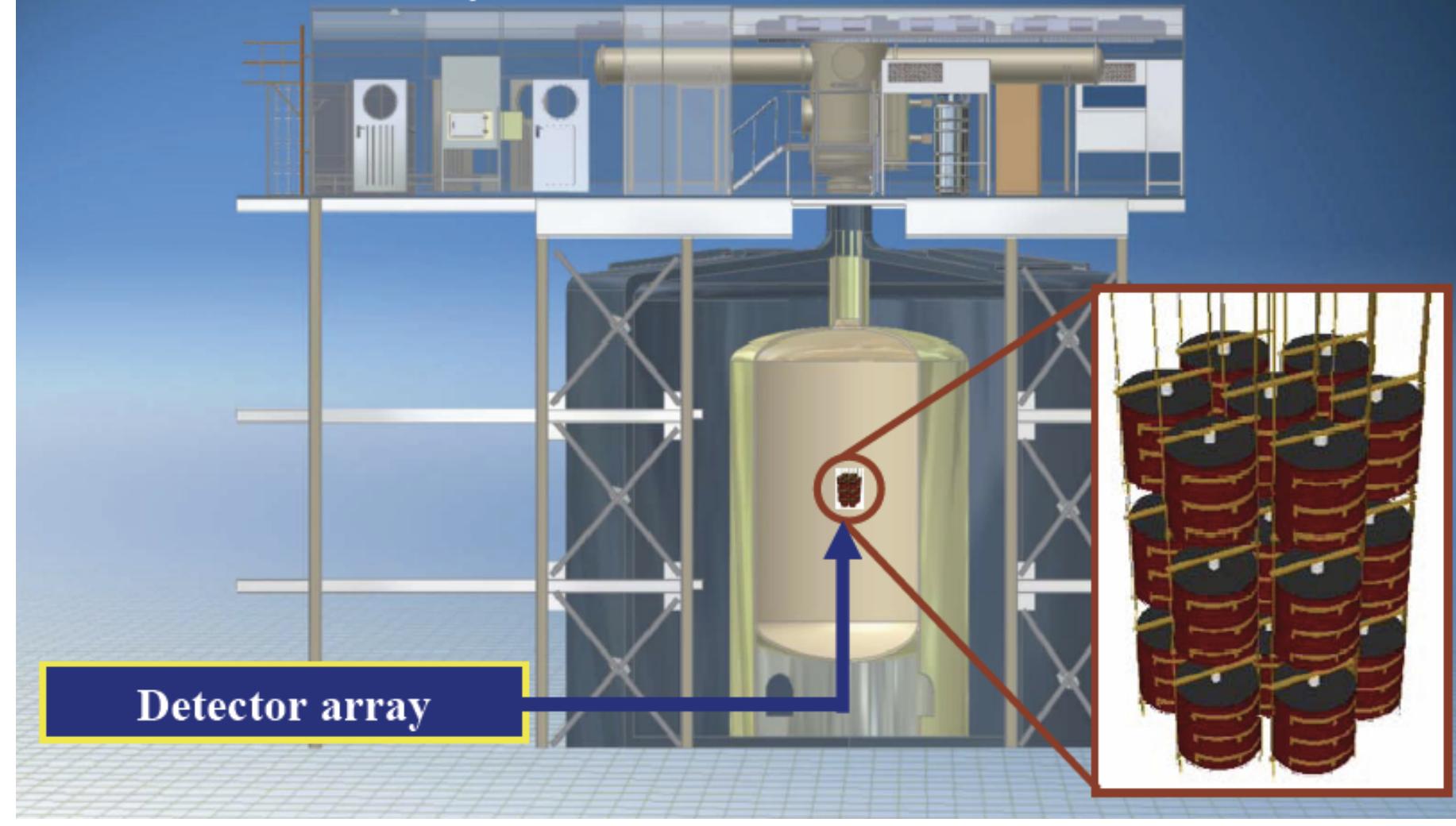


H.V. Klapdor-Kleingrothaus et al. Mod.Phys.Lett. A16 (2001) 2409-2420



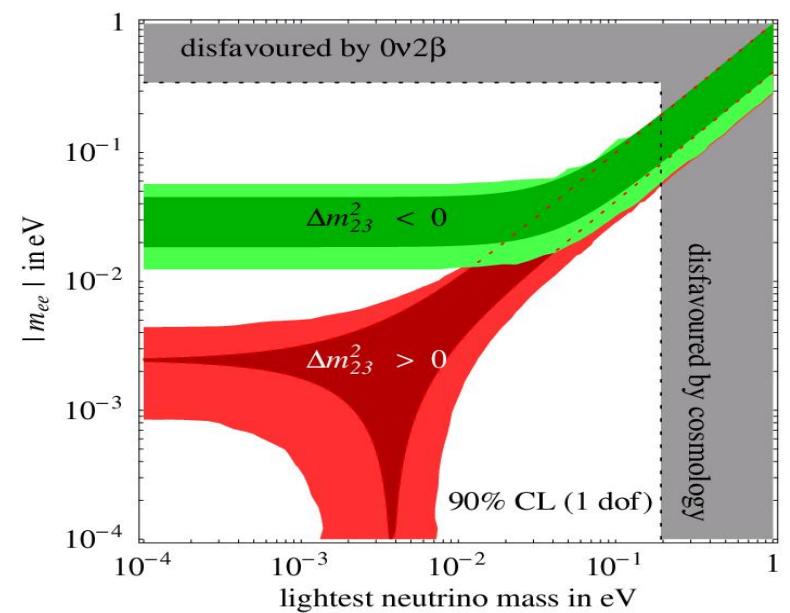
GERDA - the Germanium Detector Array

- Place array of naked HPGe-detectors enriched in ^{76}Ge in the center of a stainless cryostat filled with LAr.

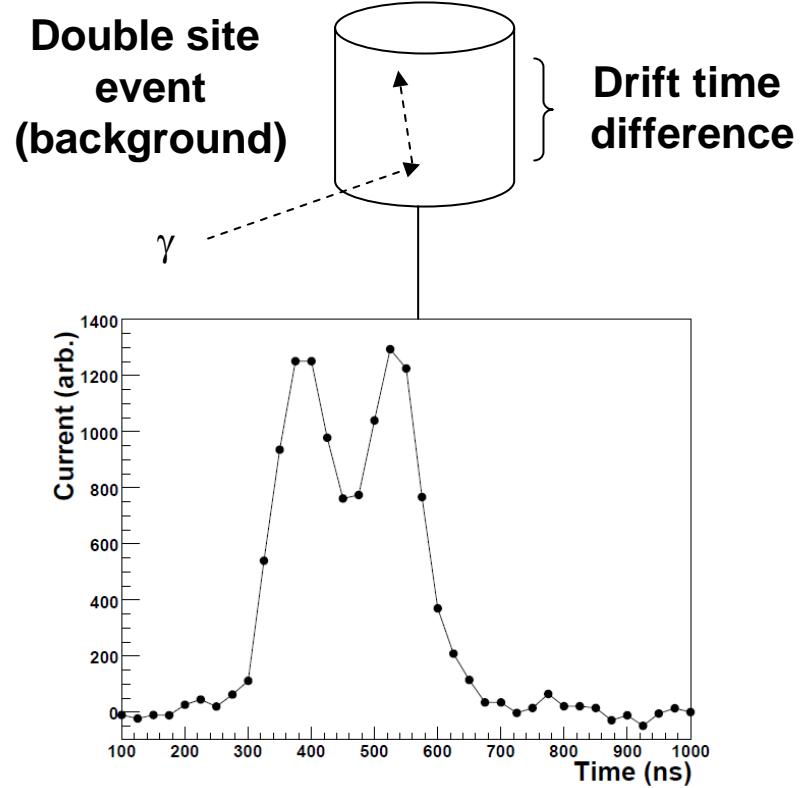
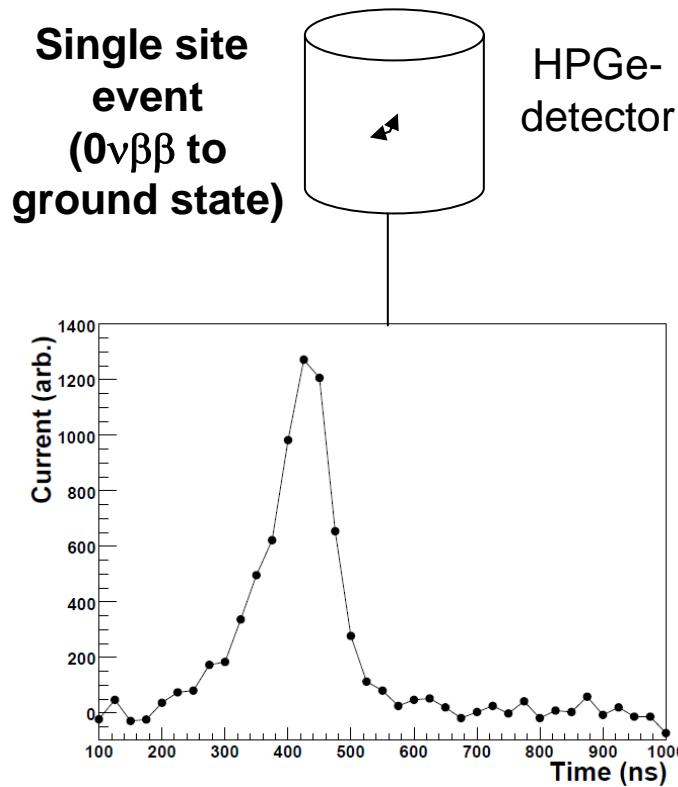


3 phases of GERDA

- **Phase I (2009-2011):**
 - 18 kg ^{76}Ge (from Heidelberg-Moscow and IGEX)
 - 15 kg $^{\text{nat}}\text{Ge}$
 - Background level of 10^{-2} counts/kg/keV/a ($=10\%$ of HM)
 - Half life limit: 2.2×10^{25} a (90 % C.L., 15 kg years)
 - Test existing claim within 1 year (6 counts with 0.5 counts background)
- **Phase II (>2011):**
 - Add 20 kg of segmented Ge-diodes
 - Background level of 10^{-3} counts/kg/keV/a
 - Several detectors depleted in ^{76}Ge (systematics check)
 - Half life limit: 2×10^{26} a (90 % C.L., 100 kg years)
 - Sensitivity to Majorana mass: 90 - 290 meV
- **Phase III (worldwide GERDA-MAJORANA collaboration):**
 - Depends on physics output of phases 1 and 2
 - Test to Majorana masses of (some) 10 meV



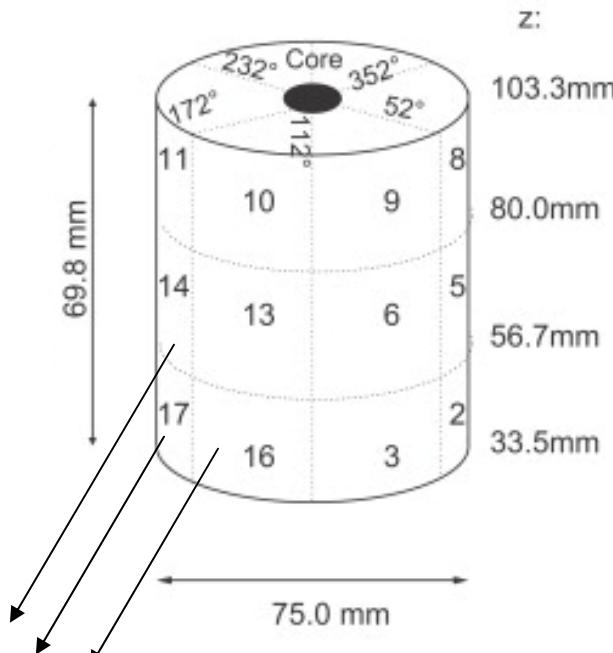
Pulse shape analysis: a way to discriminate multi-site background from single site signal



18-fold segmented coaxial HPGe-detectors for GERDA Phase II



Signal output of
18 segments (60° each)
in 3 rings



- High purity germanium detectors
- Cooled with LAr
- Full depletion at 2200 V
- Operating bias voltage ≥ 3000 V
- Multi site event: signal appears at output of several segments
- Improves background rejection

CUORICINO in LNGS

- 40.7 kg of ^{natural/130/128}TeO₂ crystals at 8-10 mK
- Temperature change ΔT measured with high-resistance germanium thermistors thermally coupled to crystals
- 0νββ-event causes $\Delta T = 1.77 \times 10^{-4}$ K
- M*T=11.83 kg*a of ¹³⁰Te
- Energy resolution 8 keV (FWHM)
- Background:

$$b = (0.18 \pm 0.01) \frac{\text{counts}}{\text{keV} \cdot \text{kg} \cdot \text{a}} @ 2530 \text{ keV}$$

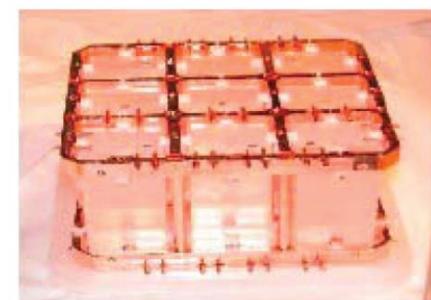
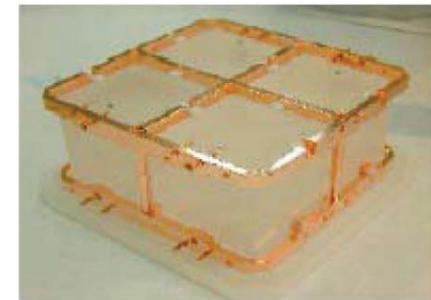
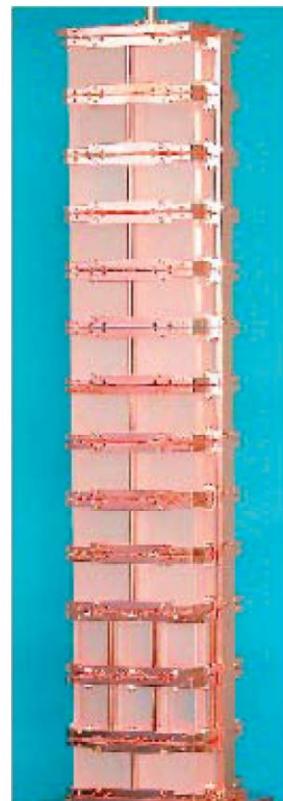
Results (2008)

$$T_{1/2}^{0\nu}(\text{Te}^{130}) > 3.0 \times 10^{25} \text{ a} \quad (90\% \text{ C.L.})$$

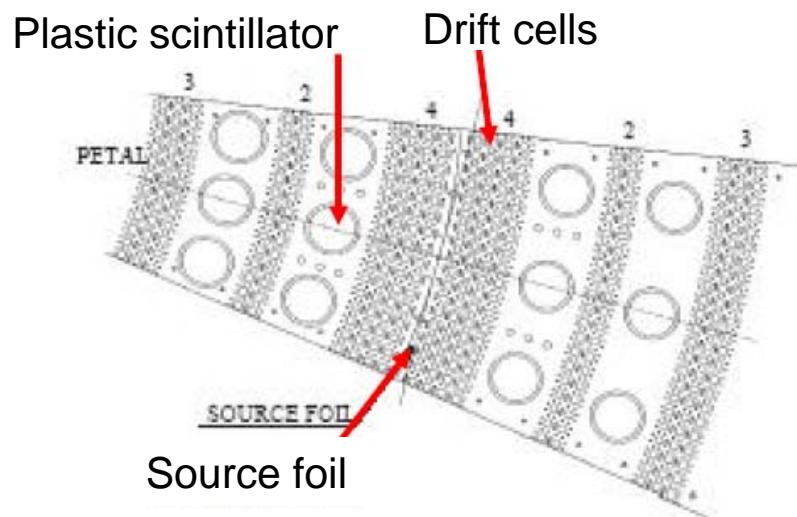
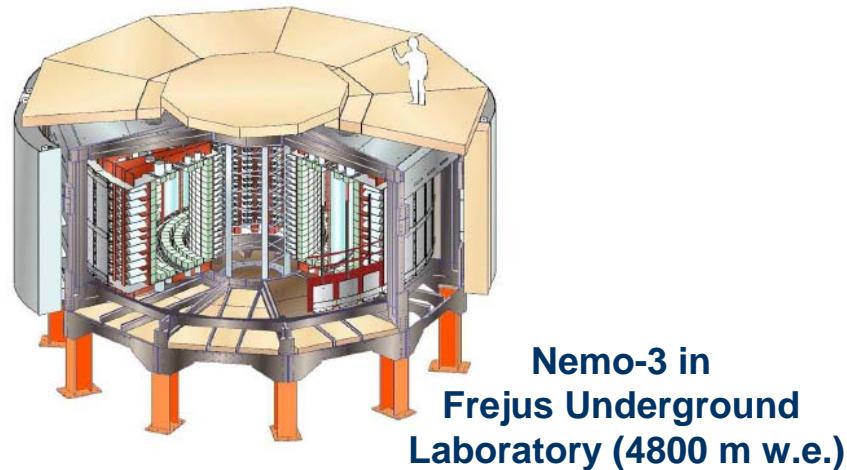
$$\langle m_{\beta\beta} \rangle < 0.19 - 0.68 \text{ eV}$$

To be continued with CUORE (750 kg)

$$\langle m_{\beta\beta} \rangle_{\text{sensitivity}} = 0.02 - 0.05 \text{ eV}$$



The Neutrino Ettore Majorana Observatory NEMO-3



Cross section: Talk of Carter Hall (SLAC)
„Neutrino Physics with Double Beta Decay“, ASPEN 2005

- Source: various thin foils of different nuclides (e.g. 10 kg of ^{100}Mo)
- **Tracker:**
 - 6180 open Geiger drift cells
 - tracking vertex resolution of approx 1 cm at 1 MeV
- **Calorimeter:**
 - 1940 plastic scintillators coupled to low radioactivity photomultipliers
 - energy resolution of 15 % (FWHM) at 1 MeV
 - timing precision 250 ps at 1 MeV
- **Magnetic field:**
 - $B=25$ G produced by solenoid for e^+/e^- separation
- **Shielding:**
 - γ (18 cm iron)
 - n (borated water, wood)
 - Rn (air purification)

NEMO-3: Some results

$2\nu\beta\beta$

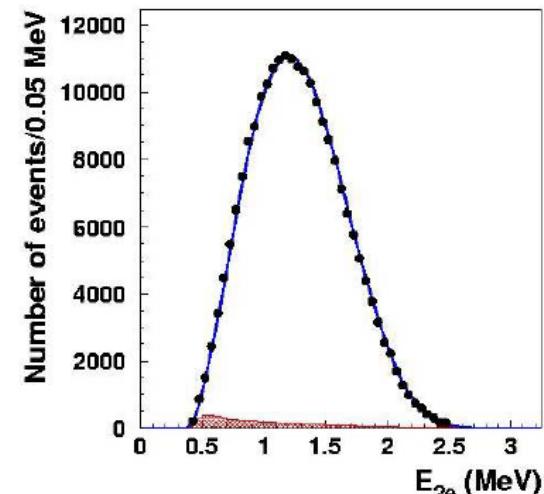


Figure 2. Sum energy spectrum of two electrons for $\beta\beta$ decay of ^{100}Mo (7.369 kg·y). Background is extremely low ($S/N \sim 40$). Solid line is MC simulation.

$0\nu\beta\beta$

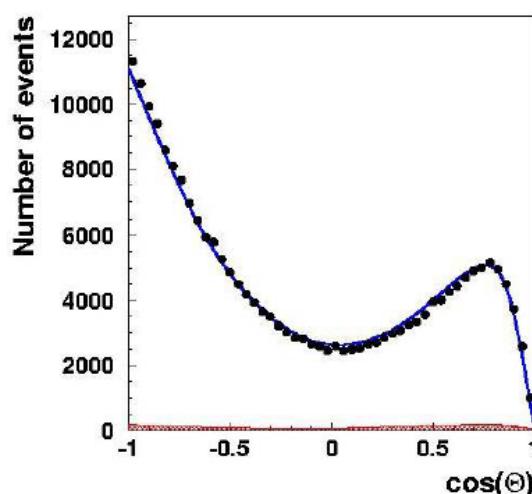


Figure 3. Angular distribution between two electrons for $\beta\beta$ decay of ^{100}Mo . Solid line is MC simulation using the acceptance of NEMO 3 detector.

$2\nu\beta\beta$ seems to be very well understood

^{100}Mo

$$T_{1/2}^{0\nu}({}^{100}\text{Mo}) > 5.8 \times 10^{23} \text{ a}$$

90 % C.L.

$$\langle m_{\beta\beta} \rangle < 0.8 - 1.3 \text{ eV}$$

^{82}Se

$$T_{1/2}^{0\nu}({}^{82}\text{Se}) > 2.1 \times 10^{23} \text{ a}$$

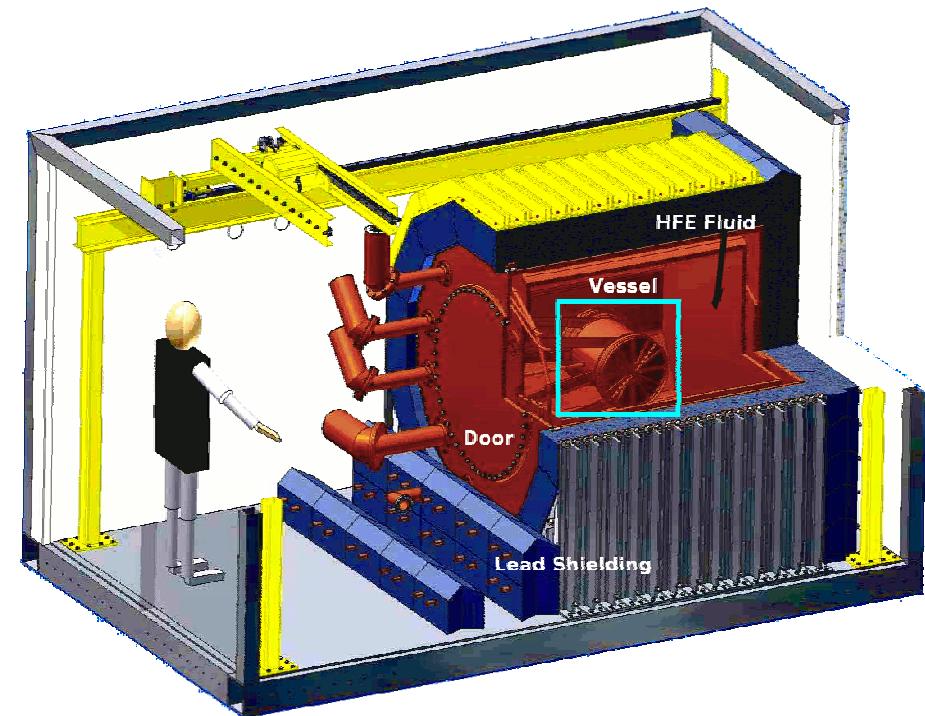
90 % C.L.

$$\langle m_{\beta\beta} \rangle < 1.4 - 2.2 \text{ eV}$$

EXO - the Enriched Xenon Observatory

- EXO-200 is a prototype of the ton scale experiment EXO
- Search for $0\nu\beta\beta$ in ^{136}Xe (Q-value: 2479 keV)
- Source: 200 kg liquid Xe enriched to 80 % (^{136}Xe)
- Liquid Xenon volume is a Time-Projection-Chamber
- Expected energy resolution (σ) approx. 1.6 % at 2.5 MeV
- About 50.000 Xe-atoms ionized by 1 MeV electron
- EXO-collaboration: University of Alabama, Universität Bern, Caltech, Carleton University, Colorado State University, UC Irvine, ITEP (Moscow), Laurentian University, University of Maryland, University of Massachusetts - Amherst, SLAC, Stanford, Technische Universität München

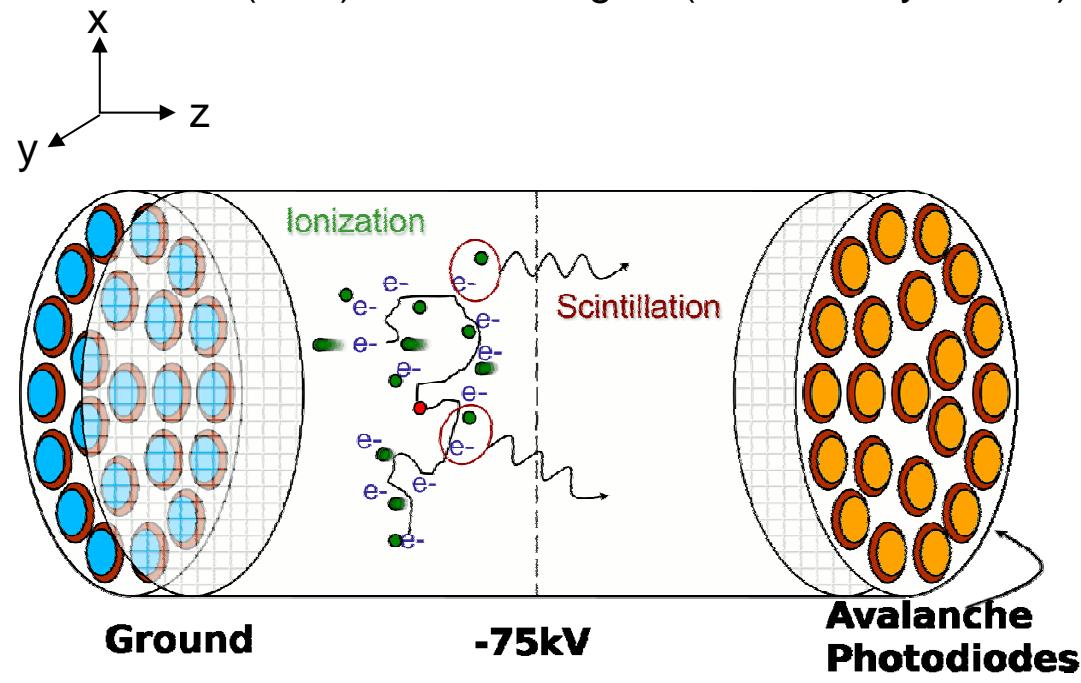
The prototype (EXO-200) at the Waste Isolation Pilot Plant (WIPP) near Carlsbad, New Mexico (2000 m w.e.)



EXO-200

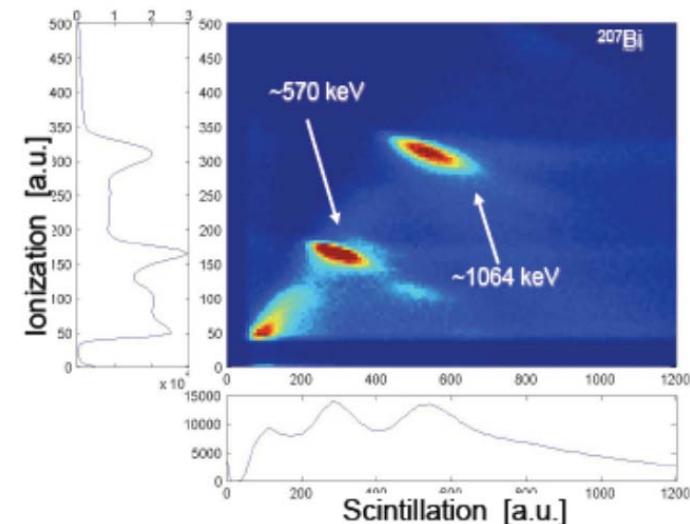
- **Ionization signal (later):**

- electrons from ionization are drifted to wire grids (x,y) and form electric signal
- z -coordinate is determined from time difference between prompt scintillation and the (later) ionization signal (drift velocity known)

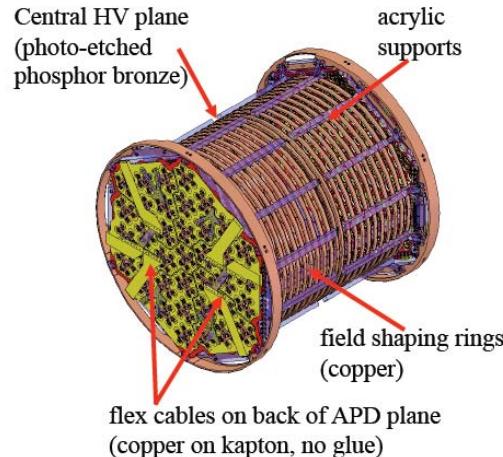


- **Scintillation light (first signal):**

- (optical) photons from recombination of (ionization) electrons with Xenon ions trigger avalanche-photodiodes (APD) in arrays
- Strength anti-correlated with strength of ionization signal

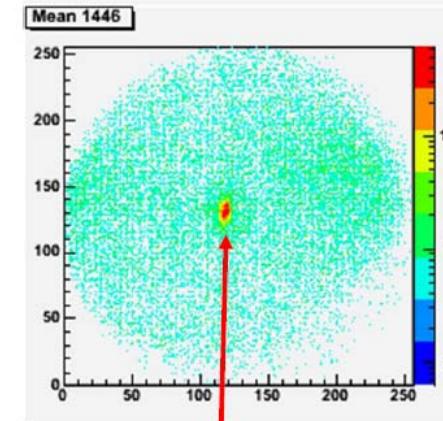


Expected sensitivity



Half chamber mock-up model

EXO: background free
with barium tagging ?



A photo of a single Ba^+ ion in vacuum

Expected sensitivity of EXO-200:

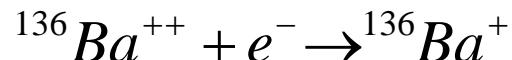
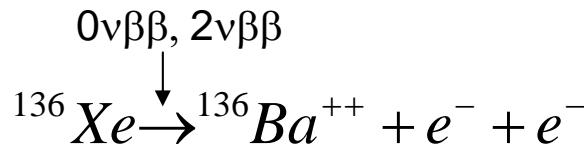
$$T_{1/2, \text{sensitivity}}^{0\nu}({}^{136}\text{Xe}) = 6.4 \times 10^{25} \text{ a}$$

$$\langle m_{\beta\beta} \rangle_{\text{sensitivity}} = 133 \text{ meV} \quad (\text{QRPA})$$

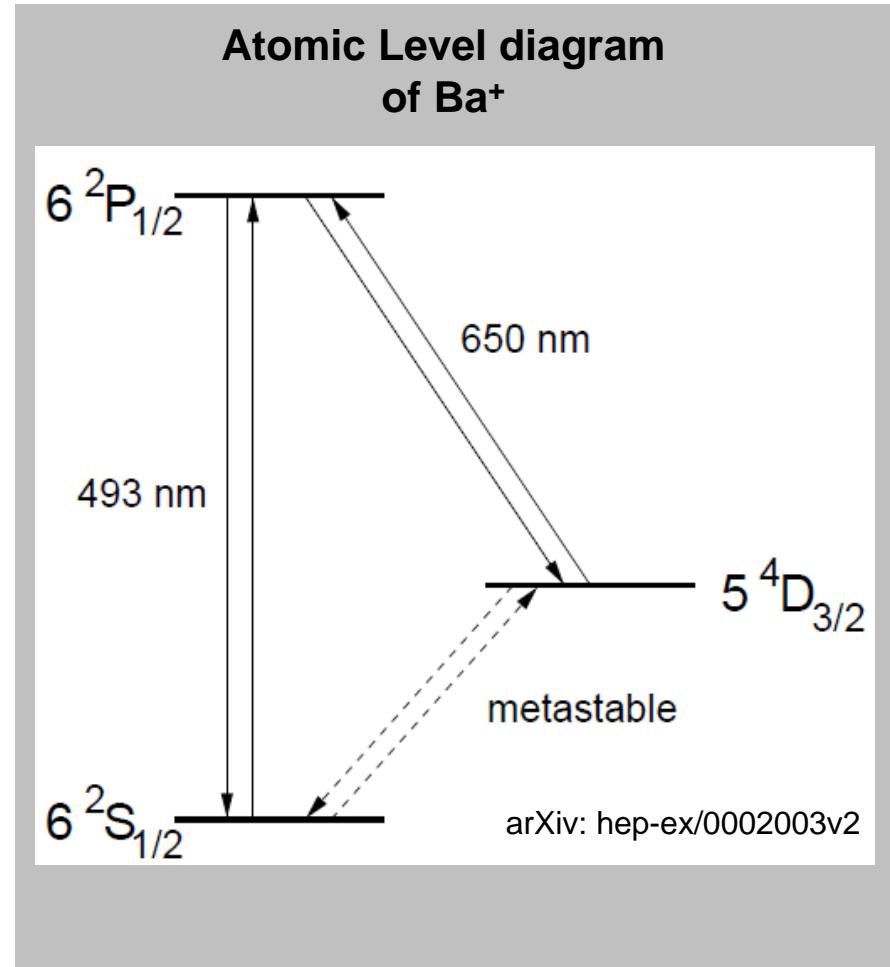
$$\langle m_{\beta\beta} \rangle_{\text{sensitivity}} = 186 \text{ meV} \quad (\text{Shell Model})$$

Assumptions: T=2 a, M=200 kg, energy resolution 1.6 % at 2.5 MeV, 70 % efficiency

Barium tagging principle for EXO



- $^{136}\text{Ba}^+$ is in $6^2\text{S}_{1/2}$ state
- A „blue“ laser excites it to $6^2\text{P}_{1/2}$
- With 30 % chance it relaxes to the metastable $5^4\text{D}_{3/2}$ with emission of a red photon (to be detected)
- About **60.000.000** „red“ photons per second can be produced in saturation of the cycle **BY ONE** Barium ion
- EXO: Tagging of daughter nucleus would improve significance dramatically (still R&D)



COBRA - search for neutrinoless double beta decay with an array of Cd(Zn)Te semiconductor detectors

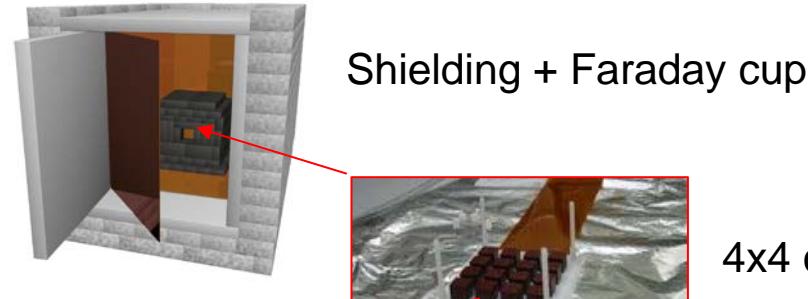
Idea

- In R&D phase
- Cd(Zn)Te semiconductor detectors (source=detector)
- Array of small crystals (1 cm^3) to identify double site events and identify decays into excited states
- 9 nuclei can be used with same detector technology

	Nat. abund.	Q [keV]	Decay mode
Zn70	0.62	1001	$\beta\text{-}\beta\text{-}$
Cd114	28.7	534	$\beta\text{-}\beta\text{-}$
Cd116	7.5	2809	$\beta\text{-}\beta\text{-}$
Te128	31.7	868	$\beta\text{-}\beta\text{-}$
Te130	33.8	2529	$\beta\text{-}\beta\text{-}$
Zn64	48.6	1096	$\beta\text{+}/\text{EC}$
Cd106	1.21	2771	$\beta\text{+}\beta\text{+}$
Cd108	0.9	231	EC/EC
Te120	0.1	1722	$\beta\text{+}/\text{EC}$

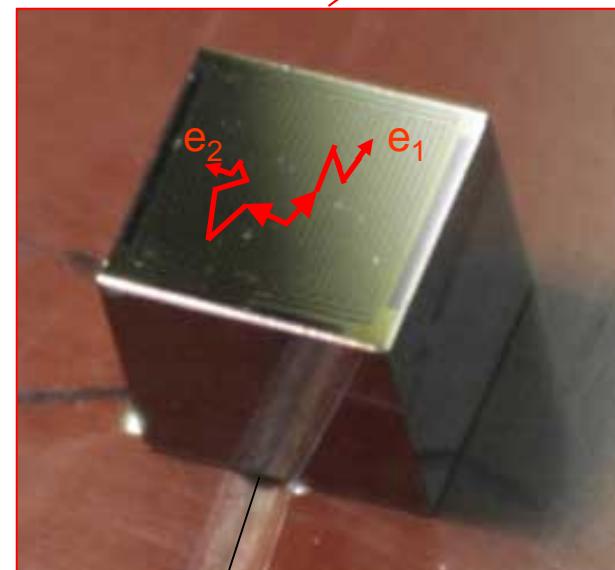
Most promising

$$\text{Electrical signal} \propto (E_{e1} + E_{e2})$$



Shielding + Faraday cup

4x4 cubes



Cube (1 cm^3)
of Cd(Zn)Te

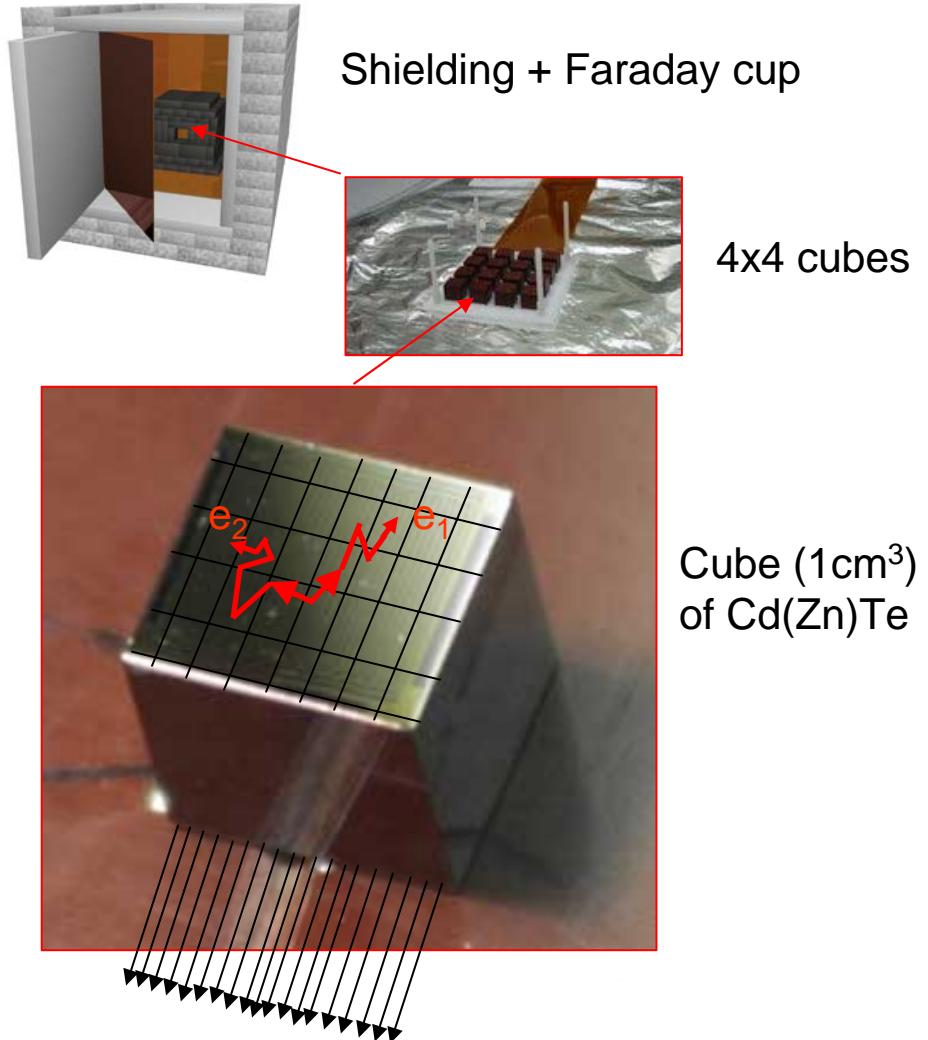
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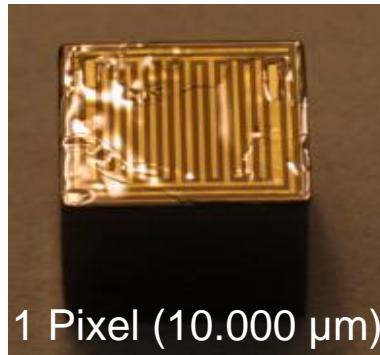
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Most promising



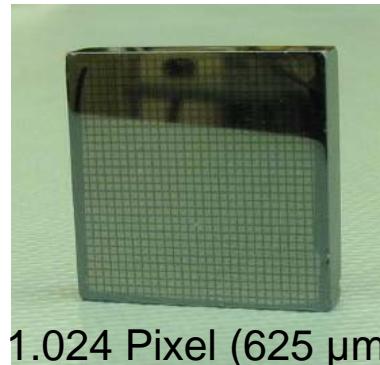
From solid calorimeter to solid tracking calorimeter

Today



1 Pixel (10.000 µm)

Tomorrow ?



1.024 Pixel (625 µm)



65.536 Pixel (55 µm)

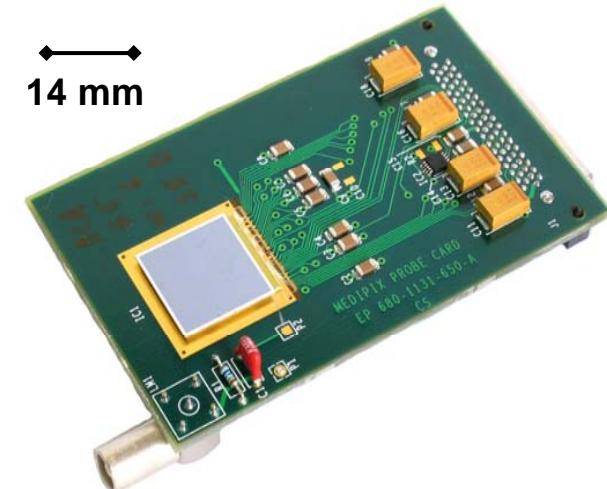
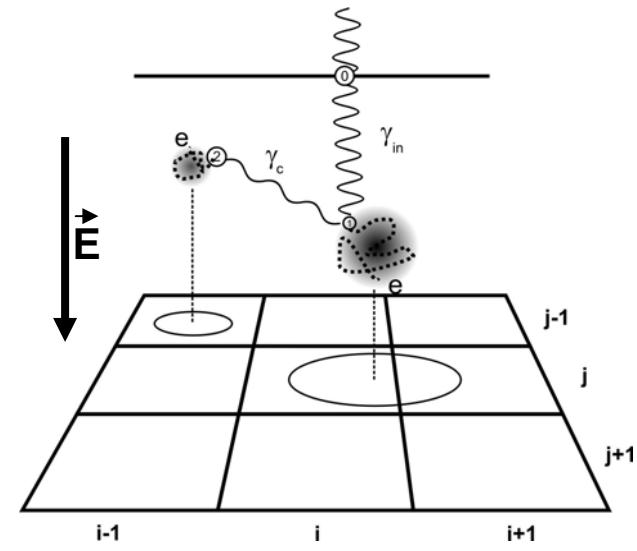
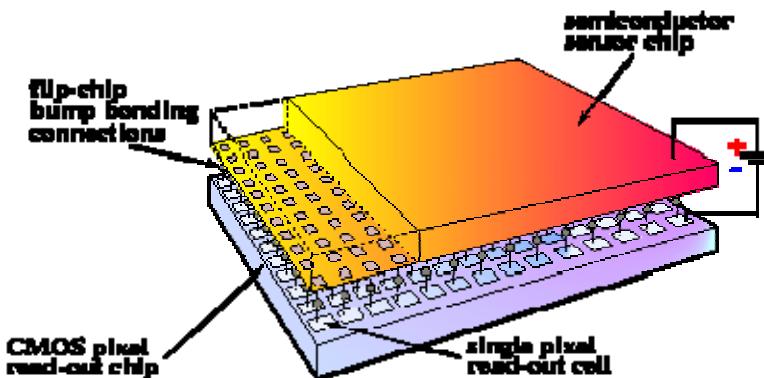
- Large „pixels“ (1 cm^3)
- Only energy measurement
- Limited particle identification

- Small pixels (z.B. $< 0.004 \text{ cm}^3$)
- Pixels -> tracking
- Energy measurement in each pixel
- Particle identification with track analysis

COBRA collaboration:

Technical University Dresden, Technical University Dortmund, Material Res. Centre Freiburg, University of Erlangen-Nürnberg, University of Hamburg, Laboratori Nazionali del Gran Sasso, Washington University St. Louis, Czech Technical University Prague, University of Jyvaskyla, JINR Dubna, University of Bratislava; University of La Plata

One detector candidate: The hybrid pixel detector Timepix



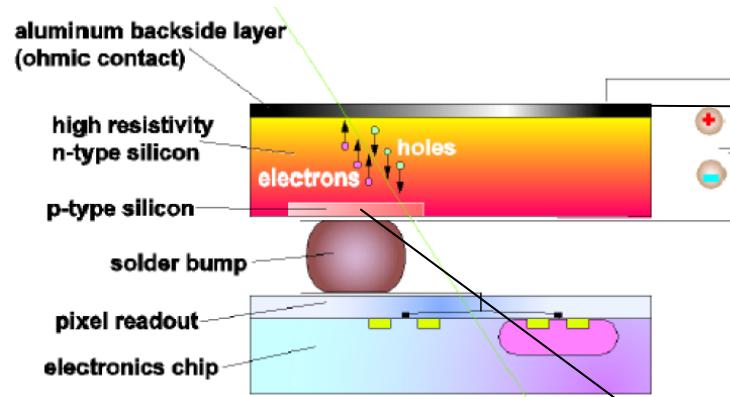
ASIC/Sensor:

- Development: International Collaboration with seat at CERN
- Bump-bonded with Pb/ Sn alloy
- 65536 pixels
- Pixel pitch: 55 μm
- Size of the matrix: 14 mm (approx. 2 cm^2)
- 0.25 μm CMOS technology

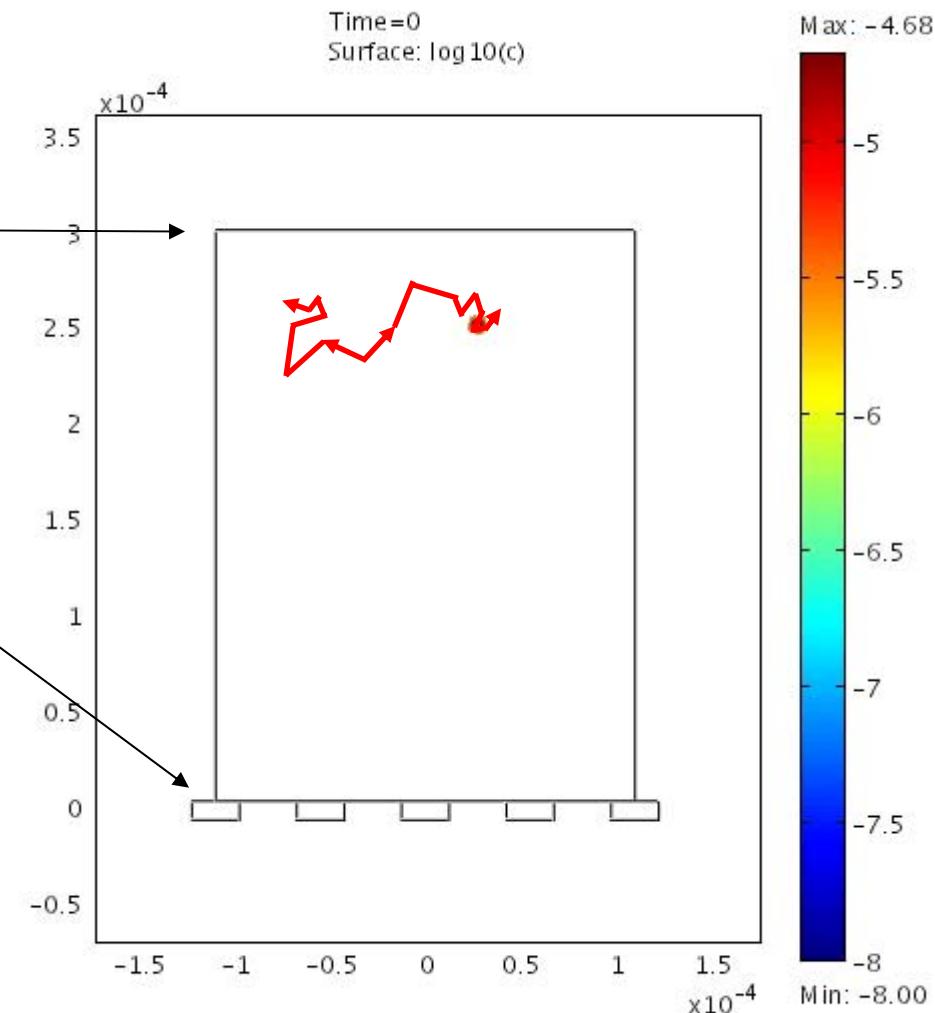
Sensor:

- Materials: Si, GaAs, CdTe
- Bias voltage: e.g. 150 V (300 μm Si)

Drift and diffusion of released charge carriers

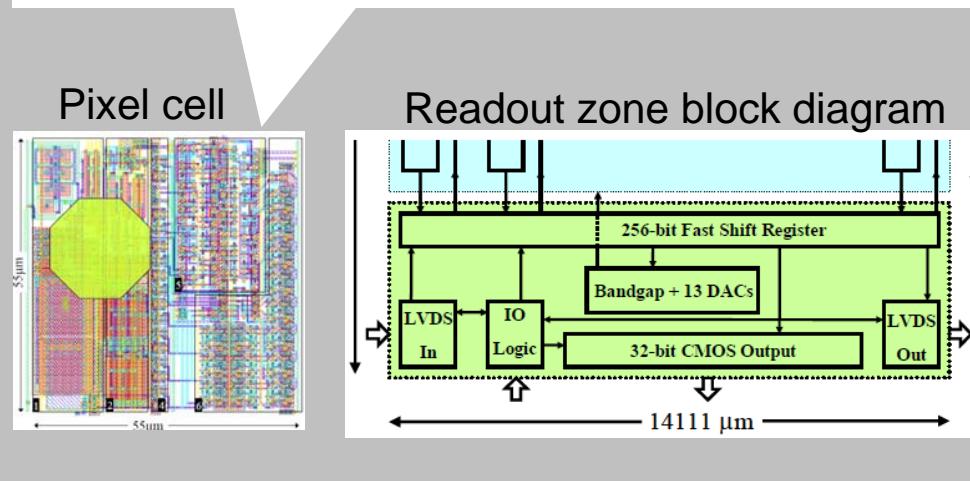
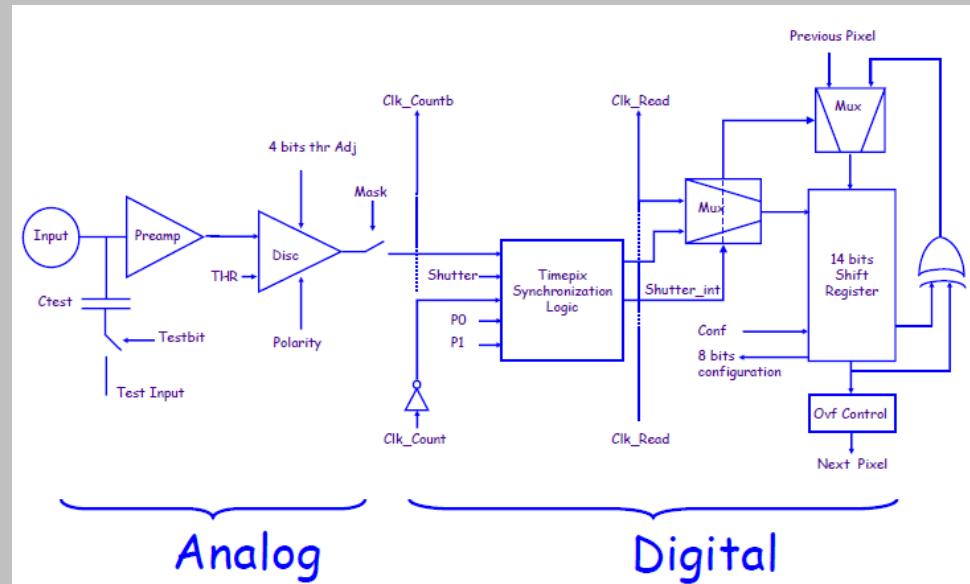


4.42 eV energy deposition for creation of one electron/hole-pair:
More than 600.000 electron/hole-pairs in $0\nu\beta\beta$ decay of ^{116}Cd created



The Timepix-ASIC

Pixel electronics



Principle

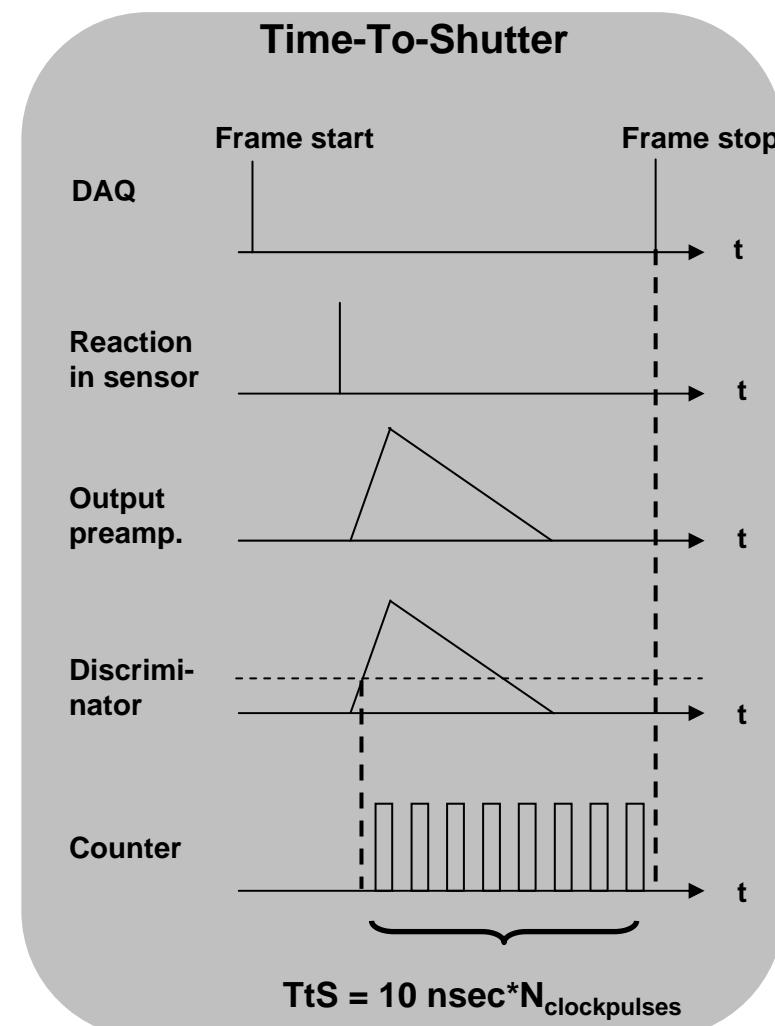
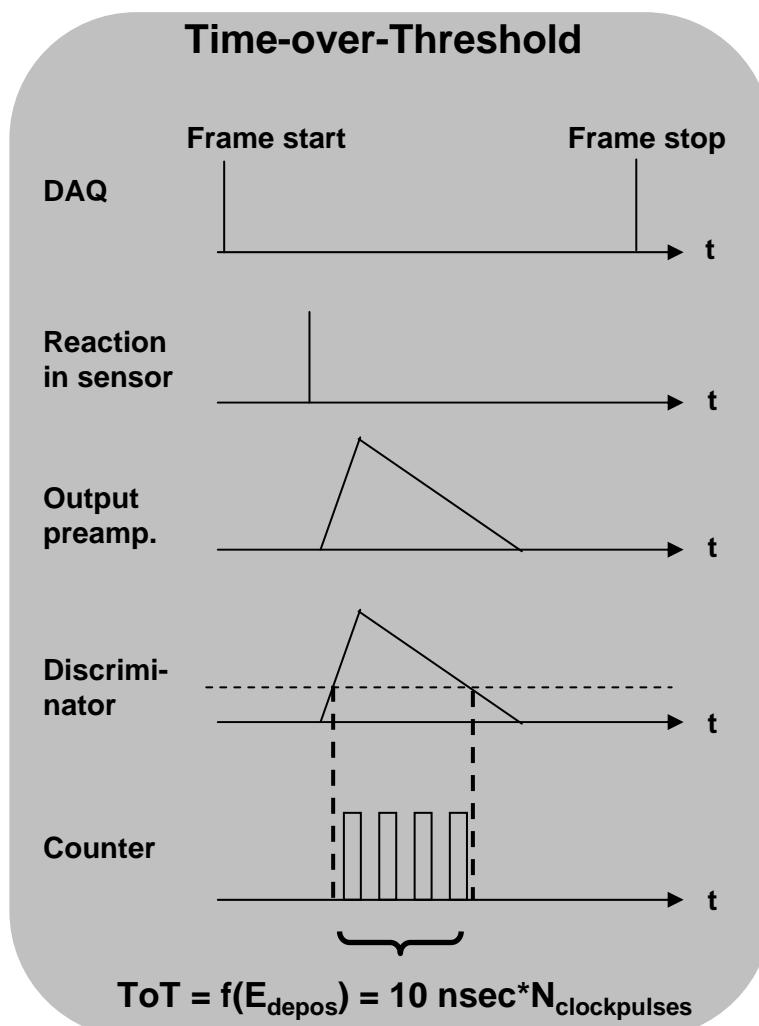
• Pixel electronics

- Charge-Sensitive Preamplifier
- 1 Discriminator (minimum threshold approx. $1000 \text{ e}^- = 3.6 \text{ keV}$)
- 1 Counter in pixel

• Operation modes

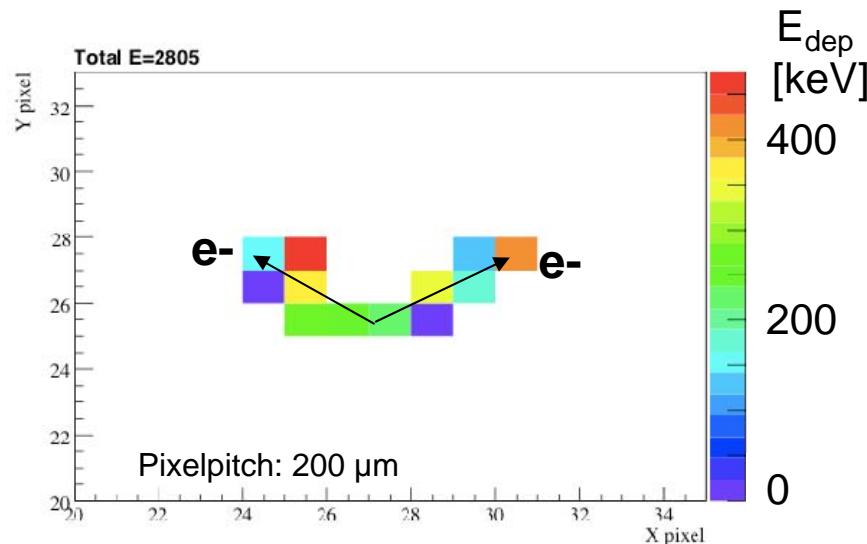
- Counting
- Time-Over-Threshold
- Time-Of-Arrival

Timepix: counting or Time-Over-Threshold or Time-To-Shutter (exclusive ORs)

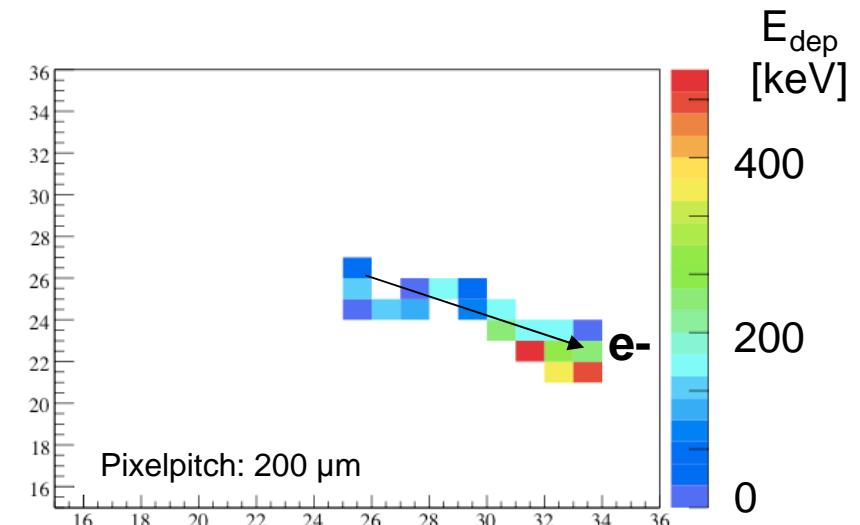


The power of pixels (simulation)

Signal: $0\nu\beta^-\beta^-$ from ^{116}Cd



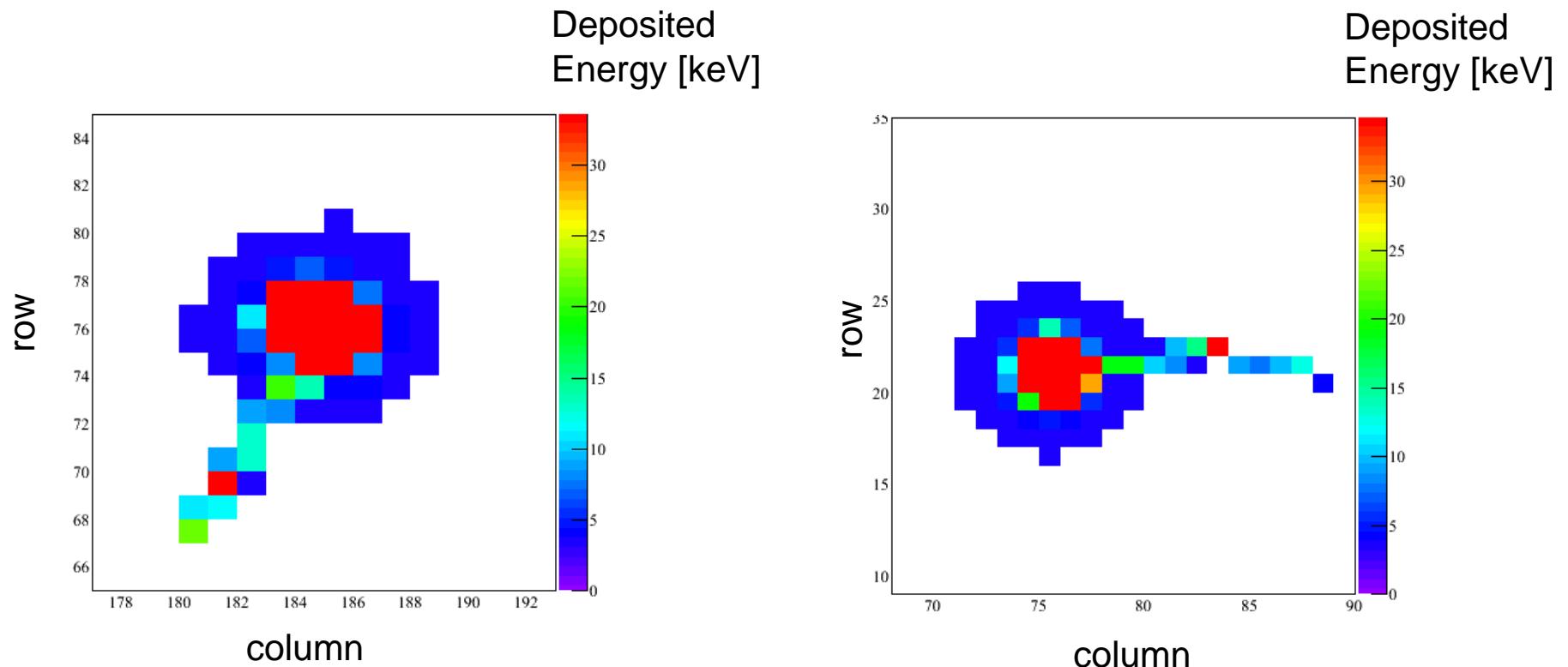
Background event: 3 MeV β



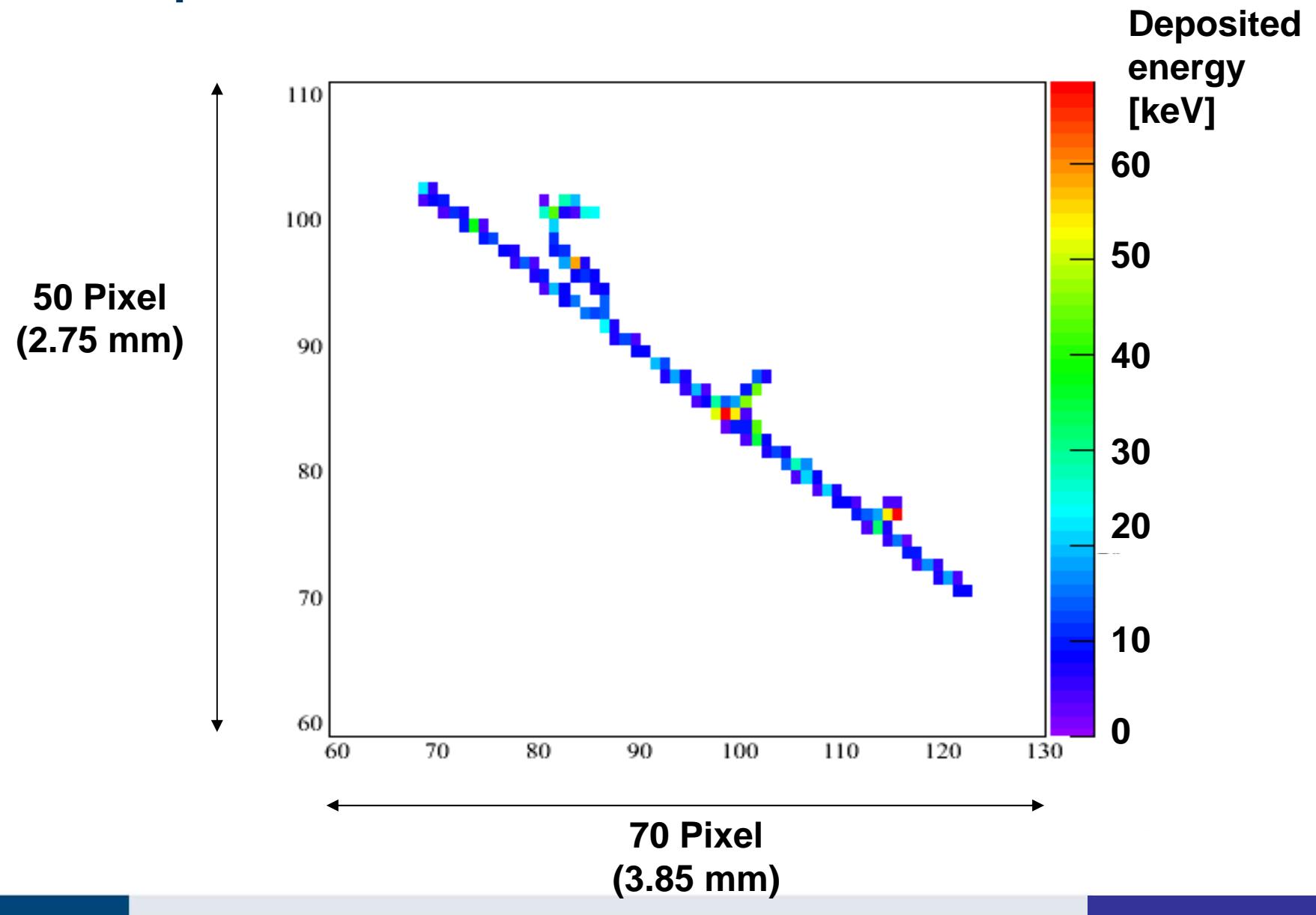
- Typical track length: 1.0 - 3 mm
- Pixelpitch < 200 μm reasonable
- Optimization between: energy resolution, leakage in neighbouring pixels, track resolution, number of channels, power consumption

Main background source for this exp.:
Electrons from beta decay of ^{214}Bi
with 3.3 MeV endpoint energy

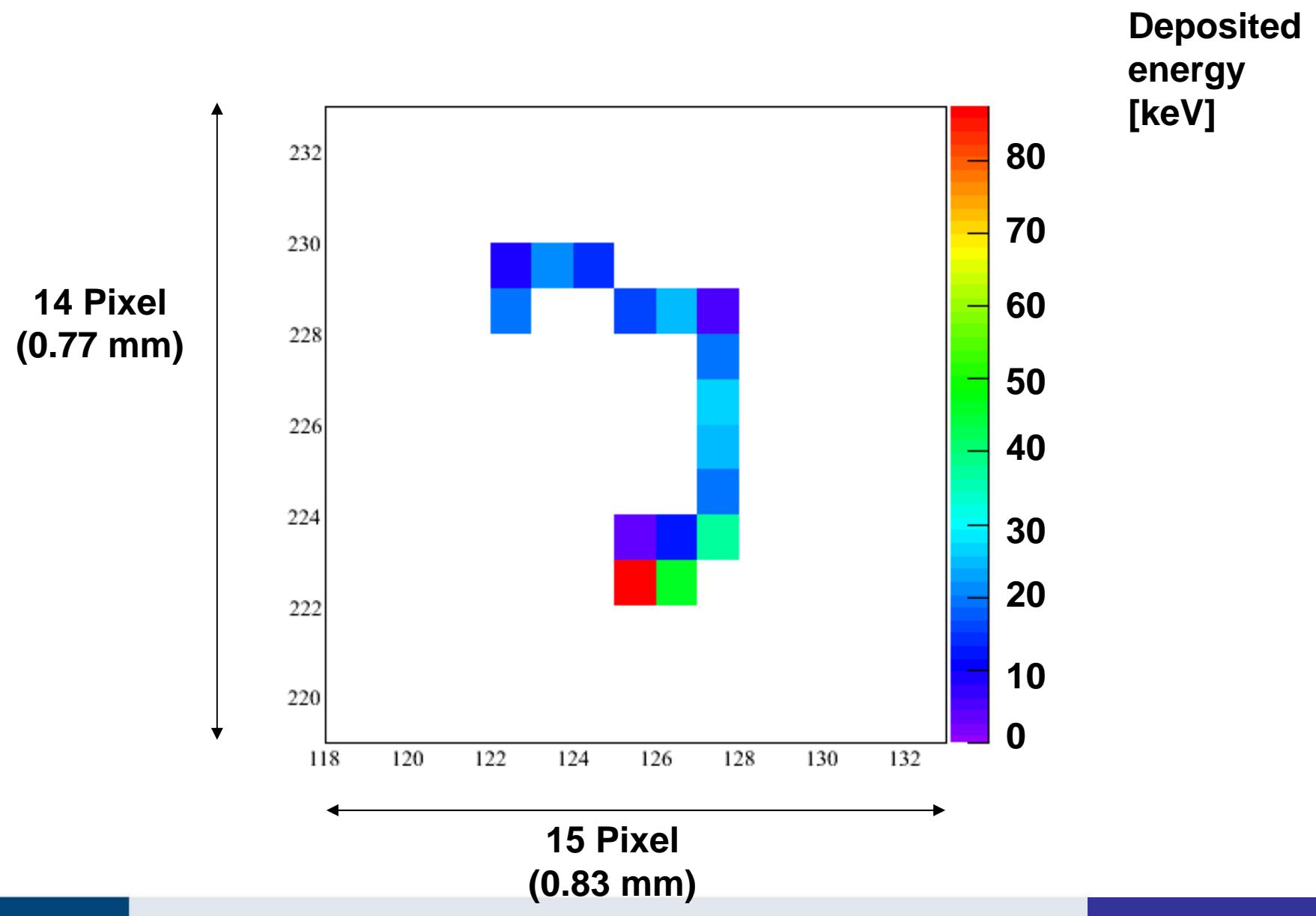
A decay electron from ^{214}Bi and the following ($T_{1/2}=164\ \mu\text{s}$) α from ^{214}Po decay



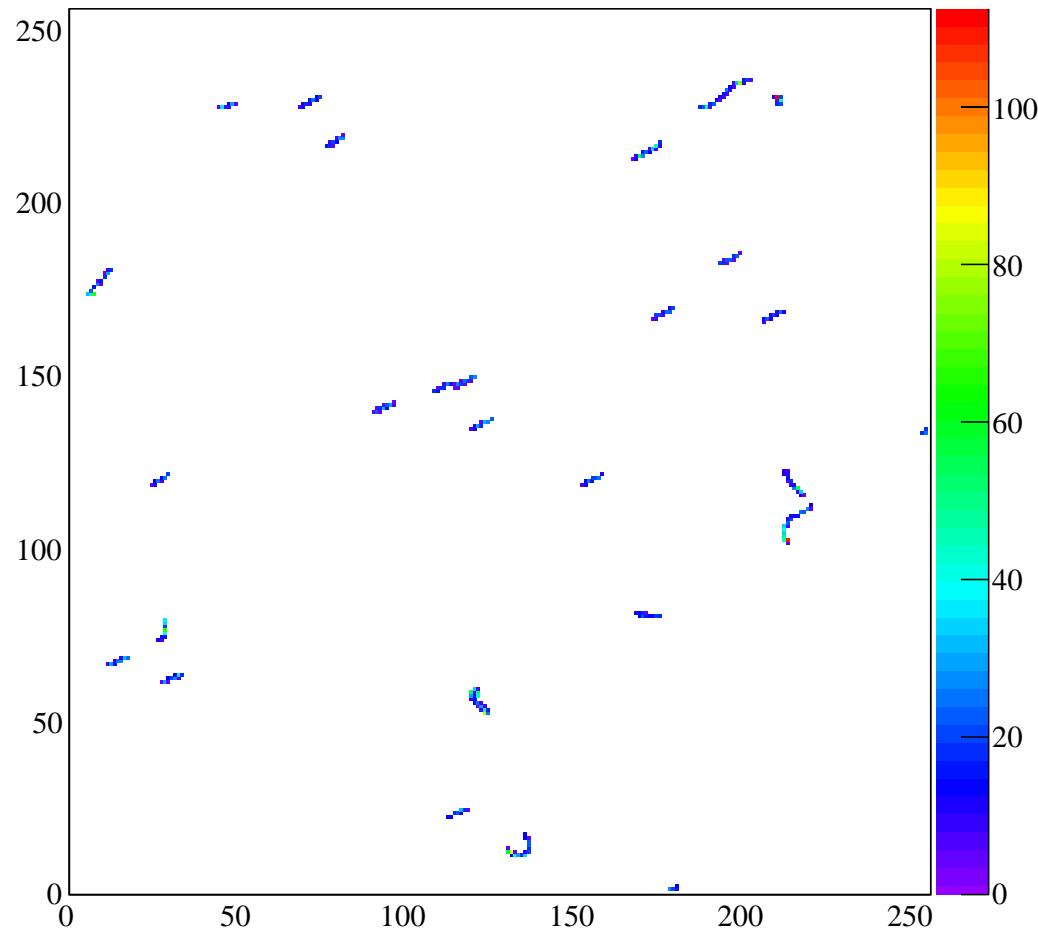
Example of a muon track



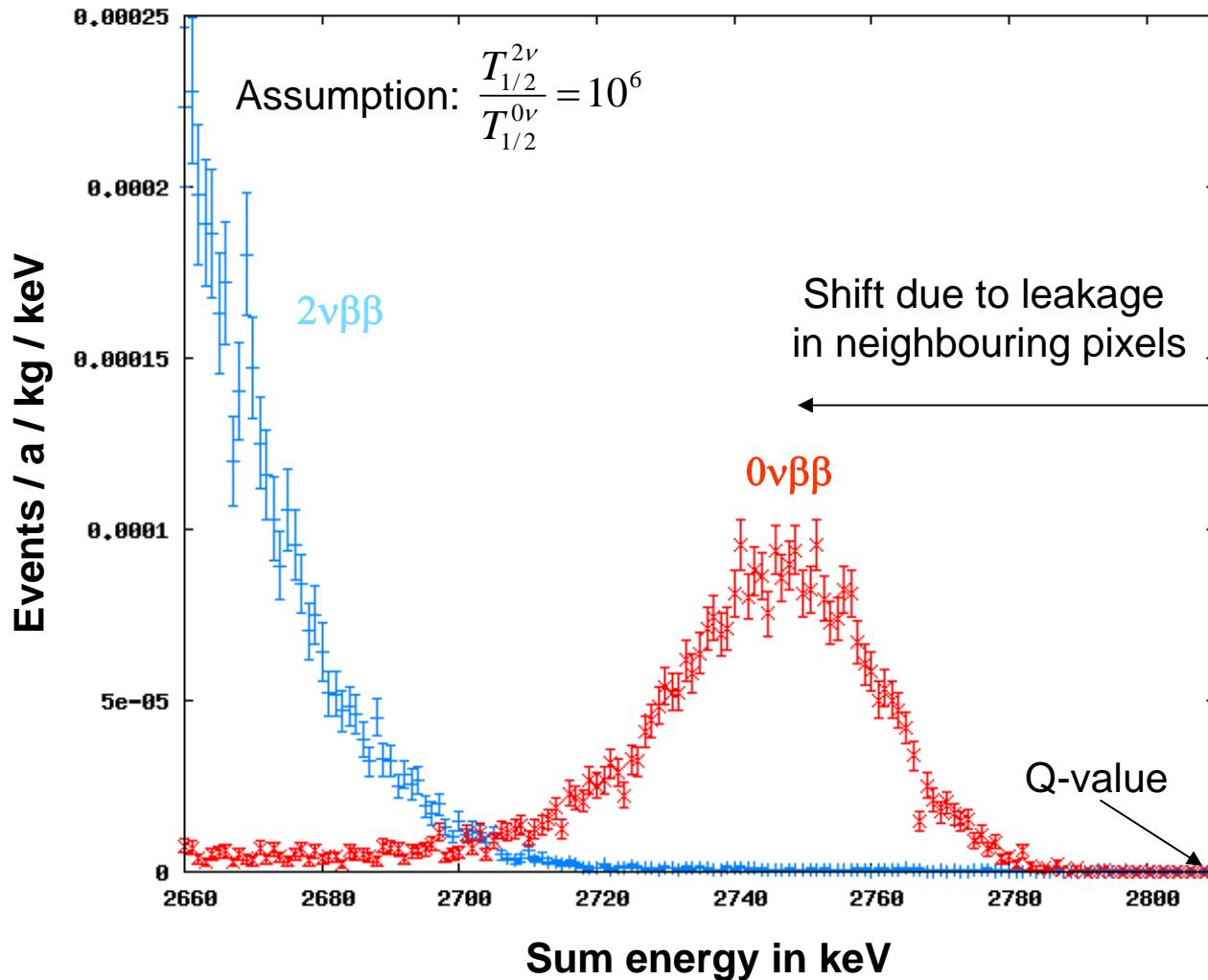
A 350 keV electron track



A cosmic shower in the Timepix



Simulation of signal ($0\nu\beta\beta$) and $2\nu\beta\beta$ -background (preliminary)



- Charge transport in sensor included
 - 1.6 mm thick CdTe
 - Pixelpitch: 110 μm
 - 700 V Bias voltage
 - Analog noise: 400 e- rms
 - 7 keV threshold in pixels
 - Optimization:
 - Thicker sensor
 - Face-To-Face
 - Threshold of 4 keV
- $$\frac{\Delta E_{FWHM}}{E} = 1.3\%$$

What must experimentalists do ?

- Find a peak at the correct energy (Q-value)
- Find only events that have single-site energy deposition
- Demonstrate that the measured rate scales with isotope fraction

$0\nu\beta\beta$ probably exists

- Observe the 2 electron tracks
- Show that kinematic distributions like single electron energies and opening angles are like the expected ones
- Tag the daughter nucleus in coincidence
- Identify decays into the excited states (lower Q) and prove that decay rates fit to decay to ground state data

Almost convincing

- See most of this in several nuclei

Then it's for sure

**Thank you very much
for your attention !**

